





# NAVAL POSTGRADUATE SCHOOL Monterey, California



# THESIS

#### RESONANT ACOUSTIC DETERMINATION OF COMPLEX ELASTIC MODULI

by

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March 1991

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Resonant Acoustic Determination of Complex Elastic Moduli

by

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#### ABSTRACT

An acoustic resonance based technique using a free-free bar has been extended to investigate the complex (storage and loss) moduli of non-magnetic materials having circular cross section. Using this technique, the bar can be selectively excited in three independent vibrational modes, *i.e.*, torsional, flexural, and longitudinal modes. The torsional mode yields the shear modulus. Either the flexural or longitudinal mode can be used to obtain Young's modulus. These resonant modes can be tracked continuously by means of a phase-locked-loop (PLL) as the temperature (and resonant frequency) of the rod is changed. The in-phase amplitude of the receiver output of the electrodynamic transducer is proportional to the quality factor, Q, of the material. It can be used to continuously track the loss tangent (= 1/Q) of the material as a function of temperature and frequency. Results for complex shear modulus and Young's modulus were obtained for a castable epoxy type PR1592 and complex shear modulus for polymethyl methacrylate (PMMA) and Uralite 3130. Over the temperature and frequency range that was accessible, a clear viscoelastic transition was observed in both the storage modulus and loss tangent curves of PR1592.

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The reader is cautioned that computer programs developed in this research may not have been exercised for all cases of interest. While every effort has been made, within the time available, to ensure that the programs are free of computational and logic errors, they cannot be considered validated. Any application of these programs without additional verification is at the risk of the user.

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### LIST OF SYMBOLS

an	=	coefficient of polynomial function
a <sub>T</sub>	=	temperature-frequency shift factor
b	=	loss tangent empirical constant
CF	=	phase speed of flexural wave
CL	=	phase speed of longitudinal wave
CT	=	phase speed of torsional wave
d	=	diameter of rod
f	=	resonance frequency
$f_n^F$	=	normal mode frequency of flexural vibration
$f_n^L$	=	normal mode frequency of longitudinal vibration
$f_n^T$	=	normal mode frequency of torsional vibration
$\Delta f$	=	-3 dB bandwidth
k, k <sub>1</sub> , k <sub>2</sub>	=	spring constant of material
<i>k</i> *	=	complex spring constant
k'	=	real part of complex spring constant
<i>k</i> "	=	imaginary part of complex spring constant
m	=	mass of rod
n	=	mode number
и	=	speed of vibration at the ends of rod
Ζ	=	distance from neutral axis
Α	=	constant of proportionality
В	=	magnetic field magnitude
Ε	=	Young's modulus

E <sub>st</sub>	=	energy stored
Ed	=	average rate of energy dissipation
F	=	force
G	=	shear modulus
$G^*$	=	complex shear modulus
G	=	shear storage modulus
<i>G</i> ″	=	shear loss modulus
Ι	=	electrical current
L	=	length of rod or effective length of coil
Ν	=	number of turns of coil
Q	=	quality factor
<i>R</i> , <i>R</i> <sub>2</sub>	=	mechanical resistance
S	=	cross-sectional area of rod
Т	=	temperature
T <sub>s</sub>	=	standard reference temperature for WLF equation
V <sub>in</sub>	=	in-phase output voltage of lock-in amplifier
δ	=	phase angle between stress and strain
$\phi$	=	angular displacement
λ	=	wavelength
κ	=	radius of gyration
ρ	=	mass density
σ	=	Poisson's ratio, or standard deviation
τ	=	relaxation time constant
ω	=	angular frequency
ξ	=	linear displacement

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### I. INTRODUCTION

#### **A. MOTIVATION**

It is important that the mechanical properties of elastomeric or rubber-like materials be accurately measured and their dependence on temperature, static pressure and other ambient parameters be determined for many fields of science and engineering. These rubber-like materials are being used in various applications such as materials for antivibration mounting, hydrophone designs and other acoustics applications. It is known that the static and dynamic moduli of plastics can differ substantially [Ref. 1] and in many situations, it is the dynamic moduli that are the appropriate moduli which determine the quantity of interest such as the dissipative characteristics of vibration isolation material, the resonant frequencies of a linear mechanical system and the sensitivity of many transduction mechanisms.

For most applications, the elastic moduli at the frequencies of intended operations are of interest rather than the static modulus. Nevertheless, manufacturers' specifications for elastic constants of castable polymers are not particularly useful as they are usually determined by static techniques and rarely contain more than one modulus if available. For an isotropic, homogeneous material, all the elastic properties can be completely characterized by just two moduli. Therefore, development of a technique that can accurately determine these dynamic properties is essential for applications engineers and designers and is the topic of this research.

#### **B. TECHNIQUE**

In general, the dynamic moduli of a material can be determined by forced vibration test methods. That is, directly measuring the force and resulting displacement or acceleration

and using Hooke's law. These can be broadly classified as resonant and non-resonant methods, each method having its advantages and disadvantages [Ref. 2]. Resonant based techniques have the advantage of higher signal-to-noise ratio because at resonance, the response of the sample is quality factor, Q, times higher than the response off resonance. This is an important consideration with a high loss material. Further, as the fundamental measurement is frequency, this suggests that one can obtain extremely high precision with a relatively inexpensive instrument such as a frequency counter. The resonant technique used in this research has been described and discussed in detail in a paper written by Garrett [Ref. 3], using a transducer consisting of coils of magnet wire placed in the magnetic field created by a pair of permanent magnets. Using identical transducers for driver and receiver (pick-up), it is able to selectively excite a single rod-shaped sample of circular or elliptical cross-section into torsional, flexural and longitudinal resonant modes. After obtaining the resonant frequency, knowing the mass density,  $\rho$ , and dimensions of the sample, the storage modulus can be obtained from the fact that the bar resonance is proportional to the appropriate wave speed. The complex moduli of the rubber-like material can be obtained together with the measurement of the quality factor, Q, or the free decay time,  $\tau$ . A commercially available device can be obtained from Reference 4.

#### **C. HISTORY**

The resonant bar technique, as it will be called from now onward, is a refinement of one developed by Barone and Giacomini [Ref. 5] to study the modes of vibration of bars of different cross sections. It was used as a teaching laboratory experiment at University of California Los Angeles by Professor Isadore Rudnick and currently, it is being used in acoustic laboratory courses at Naval Postgraduate School to demonstrate modes of bar, and recently, by Wetterskog, Beaton and Serocki [Ref. 6], to determine the dynamic moduli and their temperature dependence for numerous sample of materials for fiber-optic hydrophone applications. Improvements to the resonant bar technique and continuous resonance tracking to yield both storage and loss moduli as a function of temperature and frequency are described in this thesis.

#### II. THEORY

#### A. DYNAMIC MODULI DETERMINATION

A uniform, isotropic, cylindrical rod of a homogeneous solid with a diameter, d, and length L, with  $L > \lambda >> d$ , so that radial motion can be neglected, will propagate three independent waves. These modes will exhibit resonances at appropriate frequencies, depending on the boundary conditions imposed on the ends of the rod. Applying the boundary conditions to a slender rod with unrestricted ends, *i.e.*, free-free boundary conditions, the solutions to the resonant modes can be obtained [Ref. 7: pp. 57-76, Ref. 3].

#### 1. Non-dispersive Modes

The displacement,  $\xi$ , and angular displacement,  $\phi$ , associated with the longitudinal and torsional modes satisfy an ordinary second-order wave equation [Ref. 8 : pp.94, 112]. For a free-free boundary condition, the resonances are harmonically related and correspond to an integral number of half-wavelength contained within the length of the rod. It should be noted that the assumed boundary condition does not take the added mass of the transducers and their adhesive into account. Nevertheless, the effect is not ordinarily significant since the additional mass is rarely more than a few percent of the mass of the rod.

#### a. Longitudinal Vibration - Dynamic Young's Modulus

The phase speed of the longitudinal waves,  $c_L$ , is given by Young's modulus, *E*, and the mass density,  $\rho$  [Ref. 7 : p. 59]

$$c_L = \sqrt{\frac{E}{\rho}} \tag{1}$$

The normal-mode frequencies of the bar are then given by

$$f_n^L = \frac{nc_L}{2L}; \quad n = 1, 2, 3, \dots,$$
 (2)

where *n* is the mode number of the vibration corresponding to the number of nodes in the standing wave. When the wavelength,  $\lambda$ , begins to become comparable with the lateral dimension of the bar, the assumption of slenderness fails and the normal-mode frequencies deviate increasingly from a harmonic progression. Nevertheless, for a slender rod, these two equations can be used to solve for Young's modulus of the bar

$$E = 4\rho L^2 \left(\frac{f_n}{n}\right)^2. \tag{3}$$

#### b. Torsional Vibration - Dynamic Shear Modulus

For a cylindrical rod, the phase speed for the torsional waves,  $c_T$ , is given by the shear modulus, G, and the mass density,  $\rho$  [Ref. 8 : p.11]

$$c_T = \sqrt{\frac{G}{\rho}} \tag{4}$$

If the rod was elliptical, with major and minor radii, a and b, respectively, the speed is modified by the multiplicative factor [ $2ab/(a^2 + b^2)$ ] [Ref. 9]. Applying the free-free boundary condition leads to a series of harmonic modes with frequencies given by

$$f_n^T = \frac{nc_T}{2L}$$
;  $n = 1, 2, 3, ...$  (5)

These two equations can be used to solve for the shear modulus of the bar

$$G = 4\rho L^2 \left(\frac{f_n^T}{n}\right)^2,\tag{6}$$

where n is again the mode number of the vibration. By obtaining the resonance frequency of both the torsional and longitudinal modes of a homogeneous, isotropic rod of known mass and dimensions, the complete set of elastic constants (*i.e.*, bulk modulus, Poisson's ratio, *etc.*) can be determined as only two independent moduli are required to completely characterize such a system.

#### 2. Dispersive Mode - Flexural Mode

The flexural phase speed,  $c_F$ , is given as [Ref. 7 : p. 71]

$$c_F = \sqrt{2\pi f \kappa c_L},\tag{7}$$

where  $\kappa$  is the radius of gyration given by [Ref. 7 : p.69]

$$\kappa^2 = \left(\frac{1}{S}\right) \int z^2 \, dS \tag{8}$$

where S is the cross-sectional area of the rod, and z is the distance of an element above the neutral axis in the direction of flexure. Therefore the flexural wave phase speed varies with the square root of the frequency. A slender rod thus exhibits dispersion for flexural mode. The application of free-free boundary condition gives a series of modes that are not harmonic. The frequency of the *n*th overtone,  $f_n^F$ , is given by [Ref. 7 : p. 75]

$$f_n^F = \frac{\pi n^2 c_L \kappa}{8L^2}; n = 3.0112, 4.9994, 7, 9, 11...,$$
(9)

for a rod of circular cross-section,  $\kappa = d / 4$ , where d is the diameter of the rod. Solving the above equations to obtain Young's modulus

$$E = \frac{1024}{\pi^2} \frac{\rho L^4}{d^2} \left(\frac{f_n^F}{n^2}\right)^2; \ n = 3.0112, 4.9994, 7...$$
(10)

#### **B. VISCOELASTIC MODEL OF SOLID**

#### 1. Viscoelasticity

Many solids exhibit primarily elastic effects when subjected to low levels of strain and obey Hooke's law. Under a low amplitude dynamic force, there is a corresponding deformation such that in the linear limit, the resulting strain is proportional to the magnitude and in-phase with the applied stress. The imparted energy is recoverable and not dissipated as heat. The ratio of the applied stress to the resulting normalized deformation or strain is equal to the elastic modulus. The modulus of these materials may be independent of frequency over a large range of frequencies. On the other hand, many liquids show appreciable viscous effects. The stress and strain are always 90° out-of-phase under infinitesimal rates of strain, and all of the shear energy transferred to the liquid is dissipated as heat. If the properties of a material fall between an ideal Hookean solid and an ideal Newtonian fluid, which is the case for most polymers, when a dynamic stress is applied, some of the energy input will be stored and some of the energy input will be dissipated. The material may recover part of its deformation when the stress is removed. Under sinusoidal oscillating stress, the strain is neither exactly in-phase with the applied stress nor 90° out-of-phase but it is somewhere in between. Materials whose behavior show such characteristics are called viscoelastic.

#### **2.** Simple Mechanical Model

The simplest mechanical model of a viscoelastic system is one spring (elastic) and one dashpot (viscous), either in series or in parallel [Ref. 10 : pp. 16-18]. A series element is called a Maxwell element and a parallel element is called a Voigt element. Nevertheless, a combination of these elements are needed to accurately represent the viscoelastic properties of a material.

For a Voigt element, the force, F, can be written in terms of the viscous element, R, the elastic element, k, and the displacement,  $\xi$ , as

7

$$F = (k + j\omega R) \xi, \qquad (11)$$

where,  $j = \sqrt{-1}$ , hence, the equivalent complex modulus can be represented as

$$k^* = k + j\omega R \tag{12}$$

which has a real part and imaginary part and a relaxation time constant,  $\tau$ , and a phase angle,  $\delta$ , given by

$$\tau = \frac{R}{k},\tag{13}$$

$$\delta = \tan^{-1}\left(\frac{\omega n}{k}\right) \tag{14}$$

In this simple model, the real component is independent of frequency, but it may be a function of temperature. The imaginary part is definitely a function of frequency and it increases without bound with increasing frequency. Obviously, this model is inadequate to accurately describe the behavior of a viscoelastic material under dynamic stress.

By adding an elastic element in parallel with a Maxwell model, as in Figure 1(a), which has a equivalent circuit as shown in Figure 1(b), the equivalent impedance can be expressed as

$$Z = \frac{F}{u} = \frac{k_1}{j\omega} + \frac{R_2 k_2}{k_2 + j\omega R_2},$$
 (15)

where u is the velocity equal to  $d\xi/dt$ . Then the dynamic force can be written as

$$F = Zu$$
  
=  $(\frac{k_1}{j\omega} + \frac{R_2k_2}{k_2 + j\omega R_2})j\omega\xi$   
=  $(k_1 + \frac{\omega^2 R_2^2 k_2}{k_2^2 + (\omega R_2)^2} + j\frac{\omega R_2 k_2^2}{k_2^2 + (\omega R_2)^2})\xi$ . (16)

Hence the equivalent complex modulus is

$$k^* = k_1 + \frac{\omega^2 R_2^2 k_2}{k_2^2 + (\omega R_2)^2} + j \frac{\omega R_2 k_2^2}{k_2^2 + (\omega R_2)^2}$$
(17)

From this expression, it can be seen that the real part and the imaginary part depend on

frequency, and if  $R_2 / k_2$  is a function of temperature,  $k^*$  depends on temperature also. The frequency dependence of k' (real part of  $k^*$ ) and k'' (imaginary part of  $k^*$ ) is shown in Figure 2. Other similar models can be found in Bland [Ref. 11 : pp.114-115].



Figure 1. The simple viscoelastic model : (a). The mechanical equivalent circuit. (b). The electrical equivalent circuit.

This model, with a single relaxation time constant, is similar in approach to that applied by Rudnick in describing the low temperature liquid <sup>3</sup>He [Ref. 12]. Using this model, some preliminary calculations were done. Nevertheless, as it has been stated above, the results for polymeric elastomers deviate substantially. This can be expected as

the behavior of the viscoelastic polymeric material is far more complex than this simple single relaxation time model can fully describe.



Figure 2. Frequency dependence of k' and k''

#### 3. Complex Modulus, Loss Tangent and Quality Factor

In a dynamic measurement, the characteristic elastic modulus of a viscoelastic material can be represented as a complex quantity,  $G^*$ , [Ref. 10 : p.32]

$$G^* = G' + j G'', (18)$$

$$\tan \delta \equiv \frac{G''}{G'}.$$
(19)

The storage modulus, G', is defined as the stress in-phase with the strain in a sinusoidal shear deformation divided by the strain. It is a measure of the energy stored and recovered per cycle.

The loss modulus, G'', is defined as the stress 90° out-of-phase with the strain divided by the strain. It is a measure of the energy dissipated or lost as heat per cycle of sinusoidal deformation.

The loss tangent, tan  $\delta$ , is thus a measure of the ratio of energy lost to energy stored in a cyclic deformation process. It is also equal to the reciprocal of quality factor, Q.

The quality factor of a system can be defined by [Ref. 7 : p.16]

$$Q = \frac{f}{\Delta f},\tag{20}$$

where f is the resonant frequency and  $\Delta f$  is the full bandwidth over which the average power has dropped to one-half its resonance value. In terms of relaxation time of the system,  $\tau$ , the quality factor can be expressed as [Ref. 7 : p.16]

$$Q = \pi f \tau, \tag{21}$$

or in a simple harmonic oscillator, as a function of mass, m, and mechanical resistance, R, as

$$Q = \frac{2\pi fm}{R}.$$
(22)

The quality factor can also be expressed as [Ref. 13]

$$Q = \frac{2\pi f E_{st}}{E_d},\tag{23}$$

where  $E_{st}$  is the energy stored in the resonance and  $E_d$  is the average rate of energy dissipation.

If u is the speed of the vibration, F is the amplitude of the constant applied force and m is the mass, at resonance,

$$u = \frac{F}{R},\tag{24}$$

and thus,

$$R = \frac{F}{u}, \tag{25}$$

combining equations (22) and (25), we arrive at

$$Q = Afu \tag{26}$$

where A is a constant of proportionality

$$A = \frac{2\pi m}{F}, \tag{27}$$

and hence,

$$\frac{Q}{fu} = A \tag{28}$$

#### 4. Dynamic Behavior of Viscoelastic Material

From equation (17), the storage modulus, k', can be expressed as

$$k' = k_1 + \frac{\omega^2 R_2^2 k_2}{k_2^2 + (\omega R_2)^2}$$
(29)

As  $\omega \to 0$ ,  $k' \to k_I$ , and as  $\omega \to \infty$ ,  $k' \to k_I + k_2$ . As stress is applied at low frequency, the delayed response of the material occurs within the period of the stress reversal. Near equilibrium is achieved at all time. However, as the frequency of the applied stress increases, a point will be reached when the response of the material cannot "keep up" with the stress and its deformation reduces. Consequently, as the frequency of applied stress increases, the storage modulus increases substantially. Moreover, energy loss, which can be measured by the phase angle between the stress and strain ( or the loss tangent ), behaves differently. At low frequencies, where the phase angles are small, the energy losses are small. When frequencies are high, the strain cannot response fast enough to the applied stress, so energy loss remain small too. Thus, the energy loss is highest between the two frequency limits, when the phase angle and the strain amplitude assume relatively large values. When temperature increases, the mobility of molecules increases, and the strain can track the dynamic stress more closely. With lower temperatures, stiffening of the material occurs. Therefore, the same effect can be achieved by either of the following :

- 1. Increase of temperature or decrease of frequency.
- 2. Decrease of temperature or increase of frequency.

This correspondence allows one to experimentally determine the behavior of materials at frequencies higher than typical apparatus may accommodate by decreasing the sample temperature. Likewise, an experiment can obtain very low frequency performance predictions by measuring the response of sample at elevated temperatures.

Factors like molecular weight, composition of the elastomer, pressure, *etc*, have their effects on the dynamic properties of the viscoelastic materials but they are not included in this study. [Ref. 14]

As the dynamic response of a viscoelastic material depends on the temperature and frequency [Ref. 10 : Chap.11 ], it appears to be most convenient if one of the two variables is being held constant while the other varies. Nevertheless, only a small range of viscoelastic behavior can be observed over the experimentally accessible frequency range, therefore a complete characterization of the material and its viscoelastic transition is only possible through measurements over a limited range of frequencies at various temperatures. This is the most popular approach to characterize viscoelastic materials in the field today, and it is based on the method of reduced variables developed by Williams, Landel and Ferry [Ref. 10 : pp. 294 - 320]. The treatment yields a master curve relating a chosen dynamic property such as storage modulus to a reduced frequency through a temperaturefrequency shift factor,  $a_T$ . Each material has its own expression for this temperaturefrequency factor. The development of this temperature-frequency factor is discussed in depth in the original paper of Williams, Landel and Ferry [Ref. 15 ].

In the resonant bar technique, it is required that measurement be made at discrete frequencies which correspond to the normal-modes of the bar. When the temperature of the bar varies, the resonant frequency changes also, and it is tracked by a phase-lockedloop (PLL) which will be discussed in Chapter III. The two variables of interest, *i.e.*, temperature and frequency, are coupled and this presents a challenging problem in presenting and analyzing the experimental data. This problem is rather unique. In the more established technique using an accelerometer as a receiver and a shaker table as a driver [Ref. 16], the excitation frequency can be chosen independently of the temperature. Therefore, it can be seen that the resonant bar technique presents a simple solution to the problem of characterization of material under dynamic stress but with variables that are coupled together. In contrast, the direct measurement method using accelerometer is able to isolate the variables but it is mathematically more complex due to the large mass loading induced by the accelerometer and the attachment to the shaker table. To verify the application of this technique in the investigation, an effort was made to select a material that has been investigated by authorities in this research area, in particular, by Capps of the Naval Research Laboratory - Underwater Sound Reference Detachment (NRL-USRD). The experimental data obtained in this investigation are converted to reduced frequency using the empirical formulae given in Capps' report [Ref. 16].

### **III. EXPERIMENTAL APPARATUS**

#### **A. INTRODUCTION**

The resonant bar theory is based on simple wave equations. Experimentally, it is also easy to set up, very repeatable due to the free-free boundary condition, and easy to operate. Moreover, with the electrodynamics transduction scheme, one can selectively excite torsional, flexural, or longitudinal modes using the same sample, transducer pair, and experimental set up and thus it is extremely versatile. There is no other known apparatus that can excite all three modes with the same set up, same transducers and with virtually no mass loading effects. Basically, the set up consists of the following components :

- 1. Test sample.
- 2. Two transducers mounted on the sample.
- 3. Test jig for supporting the sample and providing the magnetic field for the transducer coils.
- 4. Electronic instrumentation and computer/controller.

#### **B.** SAMPLE

#### **1.** Preparation of Materials

With the exception of PMMA, the samples used in the study each consisted of two potting components, the resin (part A) and the hardener (part B). They are mixed together in proportions recommended by the manufacturers. The epoxies E-CAST<sup>®</sup> F82/215, PR1592 and EN9, were heated and degassed at 50°C before mixing. Epoxies PR1570 and EN5, were mixed and degassed at room temperature. The epoxies are heated and degassed in an oven equipped with a vacuum pump. The data sheets for the epoxies are included in Appendix B.

#### 2. The Casting of Sample

The cylindrical rod shaped samples are typically 30 cm in length and 1.27 cm (0.5") in diameter, so that a large L/d ratio is achieved. The apparatus can accommodate samples of dimensions with diameters of  $1.2 \pm 0.5$  cm and lengths of  $30 \pm 10$  cm. The samples are made by pouring the prepared elastomers into a mold. The molding tubes for these samples are thick walled (1/8") Teflon<sup>®</sup> tubing with inner diameter of  $0.5 \pm 0.05"$ . Teflon<sup>®</sup> is used as the mold material due to its release properties. It does not require any mold release agent in the preparation of a sample.

#### 3. Curing

After the polymer is poured into the mold, the epoxy is cured according to manufacturer's recommendation. When the epoxy is properly cured, the sample is pushed out from the Teflon<sup>®</sup> tubing. A post cure (at 50°C for 24 hours) is carried out so that the properties of the sample reach their final stable state. Figure 3 shows the sample cast from epoxy EN9 with attached transducer coils and thermistor.

#### C. TRANSDUCER COILS

The transducers that act as the driver and receiver of the resonant bar are identical in construction. Each consists of No. 32 gauge copper wire with a nominal diameter of 0.2 mm which are approximately one meter in length, and wound into a 10-turn coil. Each coil weighs about 0.56 gram. They are glued to the ends of the sample by a general purpose plastic cement ( GC Electronics 10-324 ). The ends of the coil are stripped of their insulating layer, and are then coated with solder to assure good conductivity. After each coil is prepared, a continuity check is done to ensure that it is capable of driving and receiving of signals. The coil typically has a resistance of about 1.1  $\Omega$ . If a large signal is desired, the turn ratio can be increased by a factor of N, thus increasing the the signal by  $N^2$  at the expense of added mass of coil. If this added mass becomes significant, a simple

effective length correction factor can be included in the analysis of the result [Ref. 3]. The elastic properties of the plastic cement are not expected to affect the observed resonance and in-phase magnitude of the bar.



Figure 3. Photograph of a prepared EN9 material sample.

#### **D. APPARATUS**

The apparatus used in this research, shown in Figure 4, was constructed "in-house" based on a commercial apparatus [Ref 4]. The apparatus is made up of an excitation system, an adjustment system and a suspension system. The electrodynamic excitation system has two pairs of permanent magnets. They provide the necessary magnetic field, so that a varying sinusoidal electrical signal can be converted into a mechanical driving force or torque and the reciprocal effect. The gap between the magnetic poles is approximately two centimeters and it is adjustable to accommodate samples of different

diameters. The magnetic field strength in the gap is approximately  $2.4 \pm 0.1$  KOe (0.24 Tesla) over a temperature range of -17°C to 85°C. The temperature dependence of the magnets was determined to be -2.3 Oe/°C. One pair of the magnets is attached to a sliding platform to accommodate samples of different lengths.

The suspension system for the material sample consists of a pair of "X" supports with rubber bands in a crisscross manner. The rod-shape sample is then placed on the two supports so that a free-free boundary condition can be realized. The "X" supports can be raised or lowered vertically and they can slide horizontally. This is useful as they can support the material sample at any desired points and heights. The smallest effect from the suspension supports is achieved when the rod is placed so that the vibrational nodes rest on the "X" supports. This is not necessary for high loss materials due to the fact that the suspension losses are relatively low as has been quantified in this research (see Chapter IV Section C).

#### **E. ENVIRONMENTAL CHAMBER**

An environmental chamber is used to control the temperature of the material sample under test. The model used is BHD-408 Bench-Top Temperature and Humidity Test Chamber manufactured by Associated Environmental System. It has a internal dimensions of 24" (Height) x 24" (Width) x 24" (Depth). The temperature range of the system is -17°C to 85°C and the temperature control stability is  $\pm 0.5$ °F (approx.  $\pm 0.3$ °C). It has a dual loop controller capable of independent operation, or it can be controlled by a host computer through a IEEE 488 Interface. For the controller, a computer like the HP9000 series computer can be used. For our application, the local control mode is used. The detailed specification of the chamber is provided in Appendix C.


Figure 4. Resonance based moduli measurement apparatus.

#### F. SELECTION AND EXCITATION OF A DESIRED MODE

The material sample is positioned on the apparatus so that the ends of the sample and the transducer coils are in the vicinity of the maximum magnetic field strength during the dynamic moduli measurements. The mode of excitation can be selected by the orientation of the coils within the magnetic field. Figures 5, 6, and 7 shows the relative arrangement of the coil and magnetic field to produce the torsional, flexural and longitudinal vibration respectively. A detailed discussion can be found in Garrett's paper [Ref. 3].





- Figure 5. Torsional vibration excitation and detection scheme
   (a). Arrangement for torsional vibration, the arrows indicate the direction of the electromagnetic forces on the coil for a given phase of current.
  - The torsional frequency response of F-28 (b).







- (a). Arrangement for flexural vibration, the arrows indicate the direction of the electromagnetic forces on the coils for a given phase of current.
- (b). The flexural frequency response of F-28.





- Figure 7. Longitudinal vibration excitation and detection scheme (a) Arrangement for longitudinal vibration, the arrows indicate the direction of the electromagnetic forces on the coils for a given phase of current.
  - The longitudinal frequency response of F-28. (b)

#### **G. ELECTRONIC INSTRUMENTATIO**

#### **1.** Room Temperature Dynamic Moduli Determination

The instrumentation required for determination of dynamic moduli at room temperature is shown in Figure 8. The HP3562A Dynamic Signal Analyzer is used as a signal source as well as a receiver, so that the frequency response of the material sample can be obtained. The excitation signal used is a swept-sine wave with a driving output from the amplifier (HP467A) of typically two to three volts peak-to-peak. Typical frequency response are shown in Figure 5(b), 6(b), and 7(b).



Figure 8. Block diagram of the instrumentation used at room temperature.

The HP3562A has a built-in curve fit function which is used in the study extensively. Using this pole-zero plot curve fit function, the quality factor, resonant frequency, and loss factor can be calculated. The theoretical basis for obtaining the resonance frequency and quality factor from the pole-zero plot is discussed in Brown, Tan and Garrett's paper in Appendix A.

#### 2. Temperature and Frequency Dependence of the Dynamic Moduli

The instrumentation for this measurement is shown in Figure 9. The temperature of the material sample is varied by an environmental chamber. Using a lock-in amplifier and a voltage controlled oscillator (VCO) in a phase-locked-loop configuration, the resonant frequency of a selected mode of the material sample is tracked. When the temperature of the specimen changes, its resonance frequency changes due to the changes in the modulus. There is also a contribution to the change in frequency due to the change in the length of the sample via the coefficient of thermal expansion, but this effect is small by comparison and is neglected in this study. Using a HP9836C computer as a systemcontroller through the HPIB, readings of the temperatures, resonant frequencies of the sample and the in-phase component of the lock-in amplifier can be recorded. A listing of the control program is included in Appendix D.

The sample rod is placed on the apparatus in the same manner as in the dynamic moduli determination at room temperature. The temperature of the rod is monitored by a thermistor (HP0837-0164) which is compatible to the HP3456A Digital Voltmeter. The voltmeter is set up to read the thermistor temperature in degrees Celsius (°C) with a resolution of 0.001°C.

The procedure of this measurement is to identify the modes of the bar at room temperature first, as discussed previously, and then select a given mode for automatic tracking with temperature. This is done by tuning the voltage controlled oscillator (VCO) manually to resonance with the integrator shorted and the error signal feedback path open so that there is no error signal presented to the voltage control (feedback) point. The phase shifter is then adjusted so that there is zero output from the quadrature signal channel of the lock-in amplifier. The integrator can then be opened and the control loop completed. If the resonance "runs away", the signal (either transmitter or receiver) needs to be inverted. This



Figure 9. Block diagram of the instrumentation used to track the dynamic moduli dependence on temperature and frequency.

is most easily accomplished by shifting the phase an additional  $\pm 180^{\circ}$  if a lock-in analyser is being used as the mixer/phase shifter/low pass filter. It may also be necessary to adjust the filter time constant and amplifier gain if the signal oscillates. Once the control loop is locked and stable, the temperature may varied.[Ref.3]

After setting up the PLL, the environmental chamber is programmed to run a temperature profile as shown in Figure 10. The long time interval is used to achieve a quasi-equilibrium state, so the material sample is in equilibrium with the uniform temperature environment.

The nature of the experimental set up calls for automation. Thus, in their material selection study [Ref. 6], Beaton has written a BASIC program using the HP9000 series 200 computer Model 236C to acquire inputs of temperature and frequency data. The program is modified to include the input from the in-phase component of the lock-in amplifier and to extend the duration of the measurement from 40 minutes to 20 hours.

To facilitate the graphical presentation of data, the data are converted from the HP data format to Macintosh Cricket Graph<sup>™</sup> format. Using a software package called MacTerm for Macintosh II and software written by Professor Steven R. Baker of NPS (Appendix E) for HP9000 series computer, the data recorded in HP BDAT file are transported from the HP9000 computer via a RS 232C port to the Macintosh II computer.



Figure 10. Typical temperature profile for the dynamic moduli measurement

#### **IV. SYSTEM VERIFICATION**

#### A. INTRODUCTION

To investigate the complex moduli of a material using the resonant bar technique, it is essential to quantify the losses due to the suspension system. As mentioned earlier, the computations of the moduli are based on a free-free boundary condition. This assumption is valid when the suspension has a negligible effect on the response of the rod.

#### **B. INITIAL INVESTIGATION**

An existing sample rod of E-CAST<sup>®</sup> F82/215 that was used in a previous experiment involving fiber-optics (see Appendix A) was initially chosen to investigate the losses due to the suspension system. The quality factor, Q, which is a measure of the energy stored to the energy lost per acoustic cycle (Chapter II, equation (23)) was measured, for various support positions (Figure 11) and two types of suspensions: rubber bands and fishing line. As the suspension positions one and three illustrated in Figure 11 correspond to the nodal position of mode two and three respectively, it is expected that the losses are lower than the non-nodal placement positions.

The experimental set up is shown in Figure 8, Chapter III. The HP3562A Dynamic Signal Analyzer is used to generate a swept sine signal which is used as the reference input (channel 1) for the HP3562A. This signal is amplified by HP467A power amplifier and then applied to the driver coil. The electrical signal is converted to a mechanical driving force through the magnetic field and the transducer coil electrodynamic interaction. The response of the material sample is then converted to an electrical signal through the reciprocal electrodynamic transduction mechanism. The received signal is amplified and filtered by an Ithaco 1201 pre-amplifier and input to the second channel of HP3562A.

Plotting the ratio of these two inputs as a function of frequency, the frequency response of the sample material can be obtained directly using the HP3562A. Typical frequency response curve is shown in Figure 5(b). Using the built-in curve fit function of the HP3562A, the quality factor and resonant frequency of each resonant mode can be determined from the pole-zero table generated by HP3562A (see Appendix A).

From Table 1(a), it can be seen that quality factor of mode one and mode two is almost identical, but mode three and mode four differ from these two modes by approximately 5% and 10% respectively. Using the grand average as the reference, only mode four deviates by about 10%. It is noted that, suspension position three produces the highest quality factor in the third mode as expected, but suspension position one produces the lowest quality factor in the second mode instead of the highest which is not the expected result.

From Table 1(b), response of mode three and four is equal within 5%. The quality factor of mode one is the lowest and for mode two it is the highest. Except for mode one, the other modes are less than 18% different from the grand average. Suspension position three has the highest quality factor within the third mode as expected and it is significantly higher than the average quality factor within the mode. Suspension position one does not produce the highest quality factor in second mode as it is expected, although it is the second highest among the quality factors obtained in the same mode.

The experiment was repeated and the similar observations were made. Thus, within the experimental uncertainty, we may conclude that the suspension loss contribution is small and it will be substantial only if a very high quality factor material is under investigation.





# TABLE 1.QUALITY FACTOR OF E-CAST<sup>®</sup> F82/215 OBTAINED FROM<br/>DIFFERENT SUSPENSION POSITIONS IN TORSIONAL<br/>VIBRATION

Position	1st Mode	2nd Mode	3rd Mode	4th Mode
1	22.20	21.79	21.01	19.83
2	22.83	22.29	21.48	19.92
3	23.09	22.51	21.76	19.71
4	22.12	23.02	21.41	19.42
5	22.89	22.47	21.20	20.37
6	22.01	22.19	21.24	20.67
7	21.94	22.32	21.18	20.45
8	22.49	22.40	21.17	20.44
9	22.68	22.28	21.27	20.48
Average	$22.4 \pm 0.4$	$22.4 \pm 0.3$	$21.3 \pm 0.2$	$20.1 \pm 0.4$

#### (a) RUBBER BAND SUSPENSION

Grand average:  $22 \pm 1$ 

## TABLE 1.QUALITY FACTOR OF E-CAST<sup>®</sup> F82/215 OBTAINED FROM<br/>DIFFERENT SUSPENSION POSITIONS IN TORSIONAL<br/>VIBRATION

Position	1st Mode	2nd Mode	3rd Mode	4th Mode
1	15.47	22.97	20.89	19.20
2	12.57	22.84	20.77	19.21
3	10.55	22.73	21.59	19.45
4	10.31	23.12	21.46	18.88
5	14.71	22.38	20.43	19.31
6	12.95	22.30	20.12	20.10
7	17.78	21.51	19.77	20.10
8	14.72	21.92	19.09	19.79
9	12.05	22.04	20.60	19.61
Average	$13 \pm 2$	$22.4 \pm 0.5$	$20.5 \pm 0.8$	$19.5 \pm 0.4$

#### (b) FISHING LINE SUSPENSION

Grand average:  $19 \pm 4$ 

### C. SUSPENSION LOSS DETERMINATION USING AN ALUMINIUM SAMPLE

The total losses of a forced vibration system in the resonant bar technique is the sum of the intrinsic losses due to the sample's material properties, suspension losses due to the suspension system of the apparatus and radiation losses. Radiation loss is considered to be negligible and therefore, to be able to measure the intrinsic loss of a sample material, an upper bound must be placed on the suspension losses.

For a high Q material, the resonant peak is very sharp and its -3 dB bandwidth is very small. If the Q of the material is of the order of 1000, then the required sweep time, oscillator stability, and sample temperature stability become a problem both with instrumentation and the patience of the experimentalist. Therefore, we can not simply replace the E-CAST<sup>®</sup> F82/215 by the 6061T6 aluminium rod and repeat the swept sine frequency response measurements using the HP3562A and expect to obtain accurate curve fit parameters (poles and zeroes) for the quality factor.

The half-power point measurement of Q also depends on the frequency resolution and is not suitable due to the temperature stability of the resonance frequency. Another approach that "exploits" the high Q characteristics of the system was used. As the reciprocal of frequency is time, one can use a time measurement technique that has a long time record, and thus an equivalent high frequency resolution to measure the Q of a low loss material. Free decay measurements is one of such techniques that involves the measurement of successive attenuated amplitudes, from which the damping and hence the quality factor can be obtained. Since a long time record means large amount of data can be generated, regressional analysis can be performed to minimize any random errors due to decaying amplitude variation in the determination of the exponential decay time,  $\tau$ .

A block diagram of instrumentation for the free decay measurement is shown in Figure 12. The sample is driven at one of the resonant frequencies and the tone burst excitation is abruptly removed. This is achieved by means of the trigger pulse switch which disconnects the driving signal to the transducer coil and at the same time provides a trigger pulse to the external trigger input of the Nicolet digital storage scope which records the response of the material sample. Using a digital storage scope and linear regression analysis, the quality factor of the sample can be determined. A typical graph of the measurement is shown in Figure 13. The results are summarized in Table 2 where the uncertainties in Q result from the uncertainty of the slope as determined by the least square method. Based on the average of multiple measurements, the systematic error is larger than the random error when the quality factors are this large and the losses are correspondingly small. From these results, it can be seen that the difference of the quality factors between the "best" and "worst" support positions varies from 24% to 43% for the first three modes.

It can therefore be concluded that for a low loss (high Q) system, the suspension loss makes a significant contribution to the total losses of the suspension system/sample combination as currently configured. Using the worst case analysis, the suspension loss is about 43% for a system with a Q of about 1300. For a high loss (low Q) system, such as the F82/215 sample, that has a Q of about 20 (and most viscoelastic materials with Q's typically less than ten, see Chapter V, Table 5), the suspension loss contributes less than 1% to the total losses of the entire system.



Figure 12. Block diagram of the free decay measurement of aluminium rod



Figure 13. Free decay measurement of Q

## TABLE 2.QUALITY FACTOR OF 6061T6 ALUMINIUM ROD OBTAINED<br/>FROM TWO DIFFERENT SUSPENSION POSITIONS USING<br/>FREE DECAY METHOD.

	1st Mode	2nd Mode	3rd Mode
Best	1306 ± 0.8%	868.7 ± 0.6%	$1222 \pm 1.4\%$
support	1338 ± 0.4%	830.5 ± 0.9%	1437 ± 0.8%
			1792 ± 1.3%
Average $\pm \sigma$	$1320 \pm 16$	850 ± 20	1500 ± 300
Worst	751 ± 0.4%	644.9 ± 0.4%	968 ± 5%
Support		653.5 ± 0.5%	940 ± 3%
			934 ± 4%
Average $\pm \sigma$	751	$650 \pm 5$	950 ± 18
Relative difference	43 %	24 %	36 %

#### V. DATA

#### A. INTRODUCTION

This study consists of three main areas. The first is the verification of the resonant bar technique to determine the elastic properties of a sample material called E-CAST<sup>®</sup> F82/215. The second portion involved quantifying the suspension losses using E-CAST<sup>®</sup> F82/215 and 6061T6 aluminium bar sample. The results of the suspension losses were reported in Chapter IV. The third section is the investigation into the temperature and frequency dependence of the elastomeric materials: Uralite 3130, PR1592 and plexiglass or polymethyl methacrylate (PMMA). Uralite was chosen because of its use in fiber-optic hydrophones [Ref.17], PR1592 because of an accessible NRL-USRD report [Ref.16], and PMMA because of its wide use as a "standard" material in viscoelastic investigation.

#### **B. PRELIMINARY INVESTIGATIONS**

To gain experience with the resonant bar technique, some preliminary measurements were made on E-CAST<sup>®</sup> F82/215 to determine its dynamic moduli at room temperature. The result, which is summarized in Table 3, where  $\rho$  is the mass density, G is the shear modulus, and E is the Young's modulus, agreed with those obtained in Reference 6 which used a similarly constructed resonant bar apparatus.

TABLE 3.	DYNAMIC MODULI (	OF E-CAST <sup>®</sup> F82/215
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	ρ	G	E	σ
	[kg/m <sup>3</sup> ]	[GPa]	[GPa]	
Ref. 5	1120	0.91±0.06	2.5±0.2	0.37
Present study	1120±20	0.96±0.06	2.70±0.05	0.40

A fiber optic interferometer was constructed by embeding a fiber which comprised of one of the legs of a Michelson interferometer, into a E-CAST<sup>®</sup> F82/215 rod. In this study, the interferometric output is used as second means to determine the resonant frequency of the rod. It is being investigated for smart skin applications to monitor the state of strain of struts. The results were reported in the proceedings of the SPIE Conference "Fiber Optic Smart Structures and Skins III" in San Jose, September 1990. That paper is included as Appendix A.

### C. TEMPERATURE AND FREQUENCY DEPENDENCE OF VISCOELASTIC MATERIALS

#### 1. Test Matrix

In this study, Uralite 3130, PR1592 rods cast in Teflon<sup>®</sup> tubing and PMMA rods were used. The torsional mode is the easiest mode to excite and detect, and thus most of the data collected were on the shear modulus. For the PR1592, data was also collected for the flexural resonant mode which depends on the Young's modulus. The test matrix is as follows

#### TABLE 4. TEST MATRIX FOR VISCOELASTICITY MEASUREMENTS

	PR1592	PMMA	U3130
Torsional	$\checkmark$	$\checkmark$	$\checkmark$
Flexural	$\checkmark$		
Quality Factor	$\checkmark$	$\checkmark$	

#### 2. Data Presentation for PR1592, PMMA and U3130

The resonant bar technique produced data with the two variables, frequency and temperature, coupled together. That is, neither was held constant through a measurement

run. This was dis ussed in Chapter II. The temperature-frequency dependence measurement of the first four torsional modes of PR1592 have been investigated in this study. Graphs produced from the data are shown in Figure 14 and Figure 15. Note that the points were taken at arbitrary time intervals, in this case, every five minutes. The resonance is tracked continuously, thus the discrete data points which are presented could have been obtained with different data density. It can be seen from Figure 14 that as frequency increases, the shear modulus increases in a quadratic manner. As the higher order mode is examined, the slope of the response curve reduces at each frequency. In Figure 15, the higher modes have a higher value of shear modulus at a constant temperature. Further, it can be observed that at the highest temperature, the shear modulus of all the four modes approaches a constant value asymptotically as expected in a single relaxation time constant system discussed in Chapter II. The temperatures were not large enough to obtain the high temperature asymptotic behavior.

The experimental data was then plotted in three dimensional space to visualize the relationships between shear modulus, temperature, and frequency. To compute the loss tangent, the quality factor, Q, of specimen was measured as a function of temperature. In order to present the data in the conventional format, Capps' [Ref. 16 : p. 210] and Ferry's [Ref. 10 : p.316] results were used to determine the temperature-frequency shift factor  $a_T$  necessary to obtain the master curve.

#### a. Three Dimensional Plots

The effects of temperature and frequency on the behavior of a viscoelastic material can be most easily visualized in a three dimensional plot. The following sections will discuss the various data obtained to construct the three dimensional plots.

(1) Shear Modulus. The three dimensional plots are shown in Figure 16, Figure 17 and Figure 18 for PR1592, PMMA and Uralite 3130 respectively. In Figure 16, all the data from the lowest four torsional modes of PR1592 are presented.



Figure 14. Shear modulus of PR1592 plotted against resonance frequency (temperature is not constant). The numeric indicates the mode number.



Figure 15. Shear modulus of PR1592 plotted against temperature.

It can be seen that all these are smooth, continuous curves. As temperature increases, the resonant frequency decreases and the shear modulus decreases correspondingly. Both Uralite 3130 and PR1592 are "rubbery" materials at room temperature. The curvature of the projection of their three dimensional modulus graphs in the frequency-temperature plane is opposite to that of the PMMA which is in the "glassy" state at the temperature of this study. When the higher resonant mode is used, the resonant frequency increases and the span of frequency also increases, however, the amplitude of the in-phase output of the lock-in amplifier decreases. Lastly, it can be seen that, the shear modulus is not a simple function of temperature and frequency.



Figure 16. Shear modulus of PR1592 as a function of frequency and temperature.



Figure 17. Shear modulus of PMMA as a function of frequency and temperature.



Figure 18. Shear modulus of U3130 as a function of frequency and temperature.

(2) Loss Tangent. The three dimensional plots of the loss tangent of PR1592 and PMMA are shown in Figure 19 and Figure 20 respectively. For PR1592, the presence of glass-rubber transition is evident. The graph of loss tangent has a maximum. There is no local maximum in the loss tangent plot of PMMA for the range of frequencies and temperatures tested.

From Chapter II equation (28), it is shown that the ratio of quality factor, Q, to product of vibrational speed of the end of the bar and resonance frequency, fu, is a constant. Since the in-phase output,  $V_{in}$ , of the lock-in amplifier is proportional to this speed, equation (28) can be rewritten as

$$\frac{Q}{V_{inf}} = b , \qquad (30)$$

where b is a constant of proportionality. Noting that,

$$\tan \delta = \frac{1}{Q}, \tag{31}$$

and combining equations (30) and (31), the loss tangent can be expressed as

$$\tan \delta = \frac{1}{bV_{in}f} \tag{32}$$

By measuring the quality factor, Q, and in-phase voltage at a set of temperatures and frequencies, the loss tangent empirical constant b can be obtained at the start of a test and then the loss tangent of the sample material can be determined continuously. One set of results used to obtain a value for the constant b is shown in Table 5. For this example, the constant has a value of 64 milliseconds per volt (msec/volt). The standard deviation of the 13 measurements is 8 msec/volt so the uncertainty is 2.3 msec/volt or about ±4%. The reader should be cautioned that this constant is a function of the position of the coils and the gain of the pre-amplifier and lock-in amplifier. Thus, it must be determined for each sample and instrument setting used.

(3) Young's Modulus. The plot of Young's modulus of PR1592 is shown in Figure 21. It was obtained using the flexural mode of the sample material.

#### b. Master Curves

The conventional way to present viscoelastic behavior is to use the master curve. The master curves are produced from reduced frequency for the shear modulus or loss tangent. The reduced frequency is calculated from data of Capps [Ref. 16 : p. 210] and Ferry [Ref. 10 : p.316].

The general form of the temperature-frequency shift factor,  $a_{T_i}$  based on the WLF equation [Ref. 10 : chap.11], for a great variety of polymers can be expressed as

$$\log a_T = \frac{-8.86(T - T_s)}{101.6 + T - T_s},$$
(33)

where T is the absolute temperature in degrees Kelvin K, and  $T_s$ , is the reference temperature in K. The equation is applicable at temperature about 50° C above the glass transition temperature. However, as discussed in Ferry [Ref. 10 : chap.11], it is better to determine specific values of the two constants in this equation for each sample. Therefore, to explore this particular area, constants from the measurements of Capps for PR1592 and Ferry for PMMA were used. Their expressions are as follows

$$\log a_T = \frac{-12.9(T - 283.15)}{107 + T - 283.15},$$
(34)

for PR1592 and



Figure 19. Loss tangent of PR1592 as a function of frequency and temperature.



Figure 20. Loss tangent of PMMA as a function of frequency and temperature.

#### TABLE 5.

## DETERMINATION OF THE LOSS TANGENT EMPIRICAL CONSTANT " b ",

Т	f	V in	Q	Q/fV in
Temperature	Frequency	In-phase voltage	Quality factor	
[C]	[Hz]	[DCV]		[msec/V]
-17.138	801.9	-0.1125	5.523	-61.22
-10.124	678.4	-0.1048	3.825	-53.80
-0.224	515.2	-0.1140	4.378	-74.53
0.085	511.5	-0.1147	2.913	-49.65
9.321	398.7	-0.1372	2.927	-53.51
19.430	306.5	-0.1842	3.415	-60.49
29.480	259.4	-0.2452	3.847	-60.48
39.342	231.6	-0.3142	5.082	-69.84
49.096	217.1	-0.4092	6.304	-70.97
58.929	201.7	-0.5401	7.805	-71.66
69.546	195.0	-0.7048	9.701	-70.58
79.561	190.0	-0.9350	12.41	-69.86
84.277	188.1	-1.0700	13.60	-67.58

Average:  $-64 \pm 8$  msec/V



Figure 21. Young's modulus of PR1592 as a function of frequency and temperature.

$$\log a_T = \frac{-21.5 (T - 211)}{43.1 + T - 211}, \tag{35}$$

for PMMA. The parameter,  $a_{T_i}$  was not independently determined in our study since we did not have sufficient time to use samples of different length. Samples with different lengths would allow moduli at the same temperature but with different frequencies, which were sufficiently well separated to determine the temperature-frequency shift factor with adequate precision.

(1) Shear Modulus and Loss Tangent. The plots of the master curve for the shear modulus of PR1592 and PMMA are shown in Figure 22 and Figure 23 respectively. It should be noted that, for a one order-of-magnitude change of frequency and a temperature range of 100° C (approximately 30% change in absolute temperature), there is a ten-order-of magnitude change of the corresponding reduced frequency. This is rather extraordinary, and it demonstrates the strong dependence of the dynamic modulus of viscoelastic materials on temperature.

From Figure 22, it can be clearly seen that there is a transition from rubbery plateau to glassy zone for PR1592. This is evident from the maximum in the loss tangent curve which is a characteristic of a glass-rubber transition region. By inspection, for PR1592, the transition has occured at a reduced frequency of about 100 Hz, assuming a reference temperature of 10°C.

However, looking at the data obtained from the PMMA (plexiglass) sample, only the glassy zone and part of the glass-rubber transition region are observed. This is also evident in the loss tangent curve in which the loss tangent increases monotonically as the reduced frequency decreases.



Figure 22. Master curve of PR1592 based on the measurement of the first torsional mode.



Figure 23. Master curve of PMMA based on the measurement of the first torsional mode.

Coefficient	1st mode	2nd mode	3rd mode	4th mode
a0	7.5324	7.5210	7.5607	7.5529
al	0.13067	0.13592	0.13998	0.13972
a2	1.0742e-2	1.1154e-2	1.1289e-2	1.1633e-2
a3	-1.162e-3	-1.159e-3	-1.949e-3	-1.757e-3
a4	-1.679e-5	2.309e-5	5.790e-5	1.876e-5
Correlation Coefficient	1.000	1.000	1.000	1.000

 TABLE 6.
 COEFFICIENTS OF CURVE FIT FOR PR1592 TORSIONAL MODE

 TABLE 7.
 COEFFICIENTS OF CURVE FIT FOR LOSS TANGENT (TORSIONAL MODE)

	PR1	PMMA	
Coefficient	1st Mode	2nd Mode	1st Mode
a0	-0.63667	-0.60388	9.0104
al	7.2174e-2	7.8122e-2	4.2034
a2	-1.8544e-2	-2.1478e-2	0.61220
a3	1.6625e-3	1.3403e-3	3.9509e-2
a4	-1.1907e-4	-4.5023e-5	9.8409e-4
Correlation	0.998	0.998	0.999
Coefficient			
The master curves for PR1592 are fitted to a fourth order polynomial function given in equations (36) and (37) and the coefficients for the shear modulus is tabulated in Table 6. The coefficients of the loss tangent of PR1592 and PMIMA are given in Table 7.

$$Log G = \sum_{n} a_{n} (Log f)^{n}, n = 1, 2, 3, 4.$$
, (36)

$$Log (tan \,\delta) = \sum_{n} a_{n} (Log f)^{n}, n = 1, 2, 3, 4.$$
(37)

By inspection of Figure 22, we see that the location of the inflection point in shear modulus occurs at approximately the maximum of the loss tangent as would be expected for a simple relaxation model discussed in Chapter II. Differentiation of the fourth order polynomial fits to the shear modulus and loss tangent yields an inflection point at  $log a_T f = 2.85$  for shear modulus and a maximum at  $log a_T f = 2.65$  for loss tangent. This is considered to be in excellent agreement for the span of  $log a_T f$  which is from -3 to 7, over ten order-of-magnitude.

(2) Young's Modulus. As for the shear modulus, the master curve for Young's modulus uses the same fourth order polynomial curve fit. The result is shown in Table 8.

Coefficient	1st mode	Capps' result
a0	8.0219	7.71248
al	0.12331	0.12531
a2	9.985e-3	2.1141e-2
a3	-8.876e-4	-1.8216e-3
a4	-4.271e-5	-2.1893e-5
Correlation Coefficient	1.000	

TABLE 8.COEFFICIENTS OF CURVE FIT FOR PR1592 FLEXURAL<br/>MODE - YOUNG'S MODULUS

These results are plotted in Figure 24 in which Capps' curve was overlaid on the regression curve obtained from the flexural experiment. We may conclude that the deviation between the two curves is greater than the experimental uncertainty of the data. Therefore, no definite conclusion can be made from this comparison as there are too many possible reasons for the deviation. The samples are not be identical in every aspect, namely, in preparation and curing and hence the assumption that  $a_T$  is the same in our sample may not be true. It might be advised to obtain a sample previously tested by a more conventional method such as Capps' [Ref. 16] and collect data using the technique outlined in this study.



Figure 24. Comparison of experimental data with data from Capps.

## VI. CONCLUSIONS AND RECOMMENDATIONS

The purpose of the research reported in this thesis was the extension of the free-free resonant bar technique described by Garrett [Ref. 3], which measured the shear and Young's moduli of elastic materials, to include the measurement of complex moduli of viscoelastic materials, particularly those materials which are important in the fabrication of hydrophones.

### A. LOSS MODULUS MEASUREMENT TECHNIQUE

Since much of the utility of the free-free resonant method is due to its simplicity, both in the acquisition and analysis of the data based on measurement of the frequencies of the resonance modes of the sample, a simple extension of the method was devised for determining the loss tangent. This was accomplished by using the in-phase output of the phase sensitive detector to determine loss while the quadrature (out-of-phase) component was integrated and feed back to a voltage controlled oscillator to maintain the system at resonance. The validity of the relation used to convert in-phase output voltage to loss tangent (or its inverse, the resonance quality factor, Q) was verified by obtaining pole-zero curve fits to the entire resonance response curves as a means of independently determining the loss tangent. The experiment dependent (but temperature independent) conversion factor was found to be constant to within a few percent for the samples which were investigated.

Due to the interest in the measurement of loss modulus of polymeric samples, the contribution to the loss due to the sample suspension system, *e.g.*, rubber bands, were quantified by measuring the change in quality factor as a function of position of the sample suspension points. This was done with a low quality factor ( $\approx 20$ ) elastomeric sample

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using a pole-zero curve fit and with a high quality factor ( $\approx 1000$ ) metallic sample using a free oscillation decay time measurement. Both techniques unambiguously established that the suspension losses were minimized when the sample was suspended at vibration nodes and that the maximum effect on the measured loss modulus due to the suspension system losses for elastomeric samples with quality factors less than 20 was less than 1%. For samples with intrinsic quality factors of order 1000, the suspension losses could in the worst case be as large as 40% as the support system is currently configured.

## **B. MODULI OF VISCOELASTIC SAMPLES**

The technique was used successfully to measure the elastic moduli (both shear and Young's) and loss tangent for three elastomeric samples (Uralite 3130, PR1592, and PMMA) over a temperature range of -17°C to +85°C. The measured data for PR1592 and PMMA were converted to master curves using the frequency-temperature shift factors for those materials from the published literature. Over that temperature range, the PR1592 sample exhibited a complete viscoelastic transition with a peak in the loss tangent and an inflection point in the shear modulus which were observed at the same value of reduced frequency to within experimental error as would be expected from a simple viscoelastic model.

The absolute value of the Young's modulus for PR1592 differed from the master curve for that substance measured by NRL-USRD by an amount which exceed experimental error. The cause of this discrepancy has not yet been determined. One possible reason is that the samples were not of identical composition (molecular weight, cure time, *etc.*). We hope that this discrepancy can be resolved in the future by an exchange of samples between NPS and NRL-USRD.

## C. ADVANTAGES OF THE FREE-FREE RESONANT TECHNIQUE

One conventional technique for making the measurement of storage and loss moduli involves the longitudinal excitation of a rod-shaped sample at one end by an electrodynamic shaker table and the detection of the rod response at the other end by a piezoelectric accelerometer. The complex transfer function thus obtained is used to derive the Young's modulus of the sample. This is accomplished by solving a complex transcendental equation which results from the fact that the mass of the accelerometer is a non-negligible fraction of the sample mass and the fact that the data obtained is, in general, at frequencies below resonance. The conventional technique also only obtains the Young's modulus. A different set-up, sample, and transducers are required to measure the shear modulus.

The free-free resonant bar technique is far simpler and all of the advantages discussed by Garrett [Ref.3] for this technique when used in the measurement of the shear modulus also apply to the measurement of the loss modulus. These include (1) the simplicity of the conversion of resonance frequency to modulus since the mass loading due to the transducers is small; (2) the fact that the transducers, consisting only of magnet wire, are so inexpensive that they can be left on the sample; and most importantly, (3) the ability to selectively and strongly excite all three modes of the bar (longitudinal, torsional, and flexural) and detect them with a high value of signal-to-noise using the same transducer. This ability to measure all three modes means that (4) both the Young's and shear moduli are available from the same apparatus and (5) there are two modes which yield values for Young's modulus so there is an intrinsic self-consistency check. The use of a phase sensitive detection scheme allows (6) the resonance to be tracked automatically and continuously by using the quadrature signal in a feed back circuit to maintain the bar at resonance as the temperature of the sample is varied. This thesis established that the inphase signal can also be used to (7) automatically and continuously track the loss tangent as a function of temperature.

## D. DISADVANTAGE OF THE FREE-FREE RESONANT TECHNIQUE

At the present time there seems to be only one significant disadvantage to this modulus measurement method in comparison with the conventional transfer function method described by Capps [Ref. 16]. This problem arises when one attempts to determine the temperature-frequency shift factor that is required to present the modulus data in the master curve format. In its present implementation, the free-free resonant technique described in this thesis provides modulus data at resonance frequencies which necessarily change with changing temperature. The determination of the shift factor is simplified if the modulus is obtained at fixed frequencies and a variety of temperatures.

In principle, the free-free resonant technique can provide the modulus at several frequencies for each temperature since more than one resonant mode can be observed (four modes were tracked for torsional vibrations of PR1592) but at this time we have not been successful in developing an algorithm which can extract the shift parameter from these multiple modes. One could, of course, obtain a variety of frequencies at all temperatures by using samples of different length but this would increase the measurement complexity by requiring more than one sample.

## **E. RECOMMENDATION FOR FURTHER STUDY**

Based on the conclusions reported in this chapter, the two most interesting and important follow-on research problems would have to be (1) the derivation of an algorithm for the extraction of the frequency-temperature shift factor for the modulus measured by the temperature dependance of the fundamental resonance and its next few overtones and (2) a "round robin" calibration of "standard" samples using both the free-free resonant technique and the conventional transfer function technique.

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# APPENDIX A. CONFERENCE PAPER PRESENTED IN SPIE CONFERENCE "FIBER OPTIC SMART STRUCTURES AND SKIN III" IN SAN JOSE, SEPTEMBER 1990.

## Nondestructive Dynamic Complex Moduli Measurements Using a Michelson Fiber Interferometer and a Resonant Bar Technique

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## ABSTRACT

An optical fiber, used as a leg of a Michelson interferometer, is cast into a long cylindrical bar of E-CAST F-82 epoxy<sup>1</sup>. The bar can be selectively excited in any of its lowest flexural, torsional, and longitudinal modes. The interferometer is used to detect the resonant modes of the "free-free" bar and from these modes both the Young's and shear elastic moduli are determined. The complex modulus is determined by measuring the quality factor (Q) for each resonant mode. The measurement technique is entirely nondestructive and yields results of the two independent moduli with the same transducers.

## 1. INTRODUCTION

This article involves the use of fiber-optic sensors in the non destructive resonant determination of elastic moduli of epoxies. A "free-free" bar is selectively excited in its flexural, torsional, and longitudinal vibrational modes using a transducer consisting of coils of magnet wire placed in the magnetic field created by a pair of permanent magnets, the details of which are covered in an article entitled "Resonant Acoustic Determination of Elastic Moduli"<sup>2</sup>. A commercially available apparatus<sup>3</sup> was used to excite the modes of a bar which had embedded in it an optical fiber acting as the sensing leg of an interferometer. The bar is placed on a pair of soft rubber bands so that the ends are free to move. The phase modulations induced in the optical fiber are converted interferometrically into intensity modulations at the coupler location. The output of the interferometer at the photodetector is monitored to accurately determine the resonant frequency (and its overtones) of the particular mode of excitation of the bar. The square of the frequencies of the flexural and longitudinal resonant modes are proportional to the Young's modulus and the square of the frequency of the torsional modes is proportional to the shear modulus. The quality factor, or Q, of the resonant modes is equal to the ratio of the real to imaginary parts of the complex moduli and the inverse of the characteristic loss tangent, tan  $\delta$ . Since the measurement technique is resonant, the signal to noise ratios are typically very high and the modulus that is obtained is a dynamic complex modulus at the frequencies corresponding to the fundamental bar resonance and its overtones. The modes are also determined by a second coil electrodynamically as described in reference 2.

## 2. EXCITATION AND DETECTION

The differential Lorentz,  $d\mathbf{F}$ , force produced on a segment of wire,  $d\mathbf{l}$ , carrying a current, I, in a static magnetic field,  $\vec{B}$ , is given by

(1)

$$\vec{\mathbf{F}} = \mathbf{I} d\vec{\mathbf{I}} \times \vec{\mathbf{B}}$$

Longitudinal, torsional, or flexural forces can be generated in order to selectively excite each of the three vibrational modes with the apparatus pictured in Figure 1. The particular mode excited depends on the relative positioning of the wire coils carrying the current, I, and the direction of the magnetic field. Typically the magnetic field direction and strength created by the pair of permanent magnets as well as the current driven through the coil of wire are constant and independent of frequency. When the frequency of the oscillator driving the wire coil is varied the bar is excited in its characteristic resonant modes of vibration. The detection of these modes is typically an easy task and can be accomplished by placing a second wire coil at the opposite end of the bar within a magnetic field created by a second pair of permanent magnets. The output of this coil of wire transducer is an EMF (voltage) which is proportional to the change in magnetic flux linking the coil and is given by

$$V = -\frac{d}{dt} \int_{s} \vec{B} \cdot \vec{n} \, dA$$
 (2)

For a small segment of wire moving with velocity,  $\vec{u}$  in a magnetic field  $\vec{B}$ , the induced EMF is given by

 $V = \vec{B} \quad \vec{l} \times \vec{u}$ 



Figure 1. The MMD measurement apparatus<sup>3</sup> used to electrodynamically excite and detect the flexural, longitudinal, and torsional modes of a bar in order to determine the shear and Young's elastic moduli.

The resonant vibrational modes can also be detected interferometrically due to the sinusoidally excited strain induced phase shifts in the leg of the interferometer. The output of a pigtailed single mode laser (Sharp LT010, 818 nm) is delivered to a 2 x 2 fiber optic splitter/coupler where it is divided into two separate legs of a Michelson interferometer. One leg is cast axially a constant radial distance from the center of the rod and the other acting as a reference placed on the lab bench. The interferometer is cleaved at the end of the rod so that the coherent light reflects and combines interferometrically at the coupler which is characteristic of a Michelson interferometer. The resulting characteristic fringe pattern is observed with an oscilloscope from the output of a photodetector as illustrated in the measurement setup in Figure 2.



Figure 2. Illustration of the measurement setup for the electrodynamic excitation and both electrodynamic and interferometric detection of the modes of a bar.

## 3. THEORETICAL RESONANCE FREQUENCY

Once the resonances have been determined the appropriate moduli, Young's, E, or shear, G, can be determined from the equations in this section provided that the dimensions and density of the bar can be measured. The resonance frequencies will also depend on the boundary conditions which for this apparatus is "free-free" corresponding to zero stress and zero moment at both ends.

A uniform, cylindrical rod-shaped sample of a homogeneous, isotropic solid having circular crosssectional diameter, d, and length, L, which is significantly greater than its diameter, will propagate three independent waves if their wavelengths,  $\lambda$ , are much greater than d. The displacements associated with the longitudinal and torsional modes satisfy a partial second-order wave equation, and for a free-free boundary condition, the resonances are harmonically related. The Young's modulus can be expressed in terms of these parameters as

$$E = 4\rho L^2 \left(\frac{f_n^L}{n}\right)^2 \tag{4}$$

where n is a positive integer. Similarly, the free-free boundary condition leads to a series of harmonic torsional modes whose frequencies,  $f_n^T$ , are related to the shear modulus by

$$G = 4\rho L^2 \left(\frac{f_n^T}{n}\right)^2.$$
(5)

The measurement of the flexural mode is not necessary but it does provide a second estimate for the Young's modulus and its fundamental frequency is typically an order-of-magnitude lower than the longitudinal modes. The flexural mode is also strongly excited by this electrodynamic transduction scheme so it is easy to observe.

Unlike the torsional and longitudinal modes, the flexural waves of the bar obey a fourth-order differential equation and the flexural wave phase speed is dispersive. The application of "free-free" boundary conditions in this case leads to a series of modes which are overtones but not harmonics. The Young's modulus of the rod can be expressed in terms of the flexural modes as

$$E = \frac{1024}{\pi^2} \frac{\rho L^4}{d^2} \left( \frac{f^F_n}{n^2} \right)^2.$$
(6)

where n takes on the values 3.0112, 4.9994, 7, 9, 11...

## 4. CONCEPT OF A COMPLEX MODULUS

## 4.1 The Loss Tangent and Quality Factor

Many solids and most metals behave as nearly perfect elastic media and obey Hooke's Law. For the application of a dynamic force to these materials, there is a corresponding deformation that, in the linear limit, is proportional to the magnitude of, and in phase with, the applied stress. The ratio of the applied stress to the resulting normalized deformation or strain is therefore a characteristic property of the material which is termed the elastic modulus. The modulus of these metals may be independent of frequency over a large frequency range. If a material possesses sufficient damping characteristics, (or equivalently low Q's) energy can be dissipated as heat in each cyclic deformation resulting in a strain that is out of phase an angle  $\delta$  with the applied stress. The characteristic elastic modulus can thus be represented as a complex quantity in phasor notation with magnitude G and phasor angle  $\delta$ , or as an in phase, G', and quadrature term, G'' as<sup>4,5</sup>

$$G^* = Ge^{j\delta} = G' + jG''$$
 (7)

where G"/G' = tan  $\delta_G$  and j =  $\sqrt{-1}$ . The loss tangent is related to the mechanical Q by the relation:

$$\tan \delta_{\rm G} = {\rm G}''/{\rm G}' = \frac{1}{\rm Q} \tag{8}$$

To illustrate the concept of the complex modulus further, let us start with the familiar equation of motion for a damped driven oscillator

$$M \frac{\partial^{2} \xi(t)}{\partial^{2} t} + R \frac{\partial \xi(t)}{\partial t} + K \xi(t) = F(t)$$
(9)

where  $\xi$  is the displacement from equilibrium, M is the mass of the oscillator, R is the resistive mechanical damping coefficient, K is the spring constant or characteristic stiffness, and F is the applied force. If the applied force is sinusoidal of frequency  $\omega$ , the above equation is expressed as complex variables in the form

$$-\omega^{2} M \xi^{*} + K \left(1 + j \frac{\omega R}{K}\right) \xi^{*} = F^{*}$$
(10)

where the coefficient of  $\xi$  (the effective stiffness term) can also be expressed as a complex variable<sup>6</sup>

$$K^* = K\left(1+j\frac{\omega R}{K}\right) = K\left(1+j\tan\delta\right).$$
(11)

At a driving frequency coinciding with resonance,  $\omega = \omega_0 = \sqrt{K/M}$ , the tangent of the phase difference  $\delta$  is inversely related to the quality factor, Q by

$$\frac{1}{\tan \delta} = \frac{K}{\omega_0 R} = \frac{\sqrt{K M}}{R} = \frac{\omega_0 M}{R} = Q.$$
(12)

The quality factor also has the following common definitions

$$Q = \frac{\omega_o}{\omega_u - \omega_L} = \frac{1}{2} \omega_o \tau$$
(13)

where  $\omega_{ij} \omega_{ij}$  are the frequencies above and below resonance for which the average power is 3 dB down relative to its value at resonance and  $\tau$  is the decay modulus or characteristic time required for the free decay amplitude to decrease to 1/e of its initial value. The Q is also equal to the ratio of  $2\pi$  times the mechanical energy stored in the oscillator to the energy dissipated per acoustic period.<sup>7</sup>

## 4.2 Quality Factor determination from pole-zero plots

The Q, and thus complex modulus, can also be found from a pole zero plot of the mechanical admittance of the oscillator as will be illustrated in this section by measuring the frequency response of the output, eqn. (3), (induced EMF) of the detection transducer (which is proportional to velocity) to the input force, eqn. (1), (which is typically constant).

Again considering the damped driven harmonic oscillator of frequency  $\omega$ , and noting that the complex velocity and displacement are related by  $u^* = j\omega\xi^*$ , the complex admittance  $u^*/F^*$  (which is equal to the inverse of the complex impedance) is given by

$$Y^{*}(j\omega) = \frac{j\omega}{M\left[(j\omega)^{2} + \frac{R}{M}(j\omega) + \frac{K}{M}\right]}$$
(14)

The complex mechanical admittance is directly analogous to the the complex electrical admittance of an RLC circuit<sup>8</sup> with the familiar electrical quantities voltage, current, electrical resistance, inductance, and capacitance (V, I, R, L, C) corresponding to the mechanical quantities force, velocity, mechanical resistance, mass, and compliance or inverse stiffness (F, u, R, M, 1/K) respectively. Letting  $j\omega = s$ , we can factor the admittance in pole-zero format as follows

$$Y^{*}(s) = \frac{s}{M\left[s^{2} + \frac{R}{M}s + \frac{K}{M}\right]} = \frac{1}{M}\left[\frac{s}{(s-\gamma)(s-\gamma^{*})}\right]$$
(15)

where  $\gamma, \gamma^*$  are complex conjugates. Noting  $\omega_0 = \sqrt{K/M}$ , the characteristic roots are

$$\gamma = \frac{-R}{2M} + j \sqrt{\omega_0^2 - \left(\frac{R}{2M}\right)^2} \quad \text{and} \quad \gamma = \frac{-R}{2M} - j \sqrt{\omega_0^2 - \left(\frac{R}{2M}\right)^2}. \tag{16}$$

Thus the transfer admittance function has poles at  $\gamma$  and  $\gamma^*$  and a single zero at  $\omega = 0$ . Note that in this derivation we are only considering oscillatory solutions which correspond to R/(2M) <  $\omega_{\sigma}$  The pole zero plot is illustrated in Figure 3 and the poles are located on a circle of radius  $\omega_0$ .



Figure 3. Pole zero plot of complex admittance function.

If we express the location of the poles as  $\gamma = a + jb$  and  $\gamma^* = a - jb$ , then Q can be expressed as follows  $Q = \frac{\sqrt{b^2 + a^2}}{-2a}$ (17) and the resonance frequency is equal to

$$\omega_{0} = \sqrt{b^{2} + a^{2}} \cong b \left( 1 + \frac{1}{2} \frac{a^{2}}{b^{2}} \right) \approx b$$
(18)

where the first approximation is from the binomial expansion theorem and the second approximation is valid for low to moderate damping.

## 6. MEASUREMENTS AND RESULTS

A single optical fiber is used as the leg of a Michelson interferometer, and was cast into a long bar of E-CAST F-28 (1.24 cm diameter, 30.36 cm length, and density of 1120 Kg/m<sup>3</sup>) at an off axis distances of approximately 6.0 mm. As the rod is sinusoidally driven with either longitudinal, transverse, or torsional stresses, strains will be produced in the leg of the interferometer which result in phase shifts relative to the unattached unstrained reference leg of the interferometer.

The flexural, torsional, and longitudinal modes were clearly detected from the transducer coil output and interferometric phase modulated output. The first three torsional resonances occurred at 1485, 3075, and 4684 Hz. The first two flexural resonances occurred at 182.3 and 514.7 Hz. The first three longitudinal resonances occurred at 2535, 5243, and 7712 Hz. These resonances were measured at an average room temperature of 24 °C. A typical interferometric output and electromagnetic coil output pair for the flexural fundamental resonance mode is illustrated in Figure 4. From eqn. (4-8), the complex shear and Young's modulus corresponding to these resonances are tabulated in Table 1 for the bar.



Figure 4. Typical interferometric output (Top) and corresponding transducer coil output (Bottom) at resonance for the fundamental flexural mode of the E-CAST bar.

M	ode #	Frequency	Freq/Mode #	Quality factor	Loss factor	Modulus
	[n]	[f <sub>n</sub> ] (Hz)	$[f_n/n]$ (Hz)	[Q]	[δ] (%)	(Pa)
1.	Torsional 1 2 3	1485 3075 4684 Average	1485 1538 <u>1561</u> 1528	20.1 19.8 <u>19.1</u> 19.7	4.97 5.05 <u>5.24</u> 5.09	(shear modulus G*) 0.935 x 10 <sup>9</sup> (1 + j .0509)
2.	Flexural					
	$(3.0112)^2$	182.3	20.11	30.0	3.33	
	(4.9994)2	SI4./	20.59	<u>30.4</u> 30.2	3.29	$(Young's modulus Y^*)$ 2.66 x 10 <sup>9</sup> (1 + i 0331)
_	_	Average	20.35	50.2	5.51	2.00 × 10 (1 + j .0551)
3.	Longitudin 1 2	al 2535 5243	2535 2622	21.6	4.63	
	3 Average	7712	<u>2571</u> 2576	21.6	4.63	(Young's modulus Y*) 2.74 x 10 <sup>9</sup> (1 + j .0463)

Table 1. Summary of the frequencies of the modes of vibration of the sample bar described in the text.

After using the HP3562 (dynamic signal spectrum analyzer) to sweep through the appropriate frequency range in order to excite each mode of vibration as illustrated in the measurement setup diagram in Figure 2, the resonances were determined from the displayed frequency response and verified by manually adjusting the oscillator for greater resolution. The quality factor, or Q's, for each mode were obtained by measuring the upper and lower 1/e (or -3dB) points on each side of resonance by adjusting the local oscillator. The Q's listed in Table 1 were obtained from this method.

Since the HP3562 also possesses pole-zero curve fitting features, the resonances and quality factors were determined from the HP3562 generated curve fit parameters according to eqns. (17) and (18) derived earlier. It should be noted that the poles and zeros from the HP3562 generated plot are in Hertz and not in radians as suggested in eqns. (17) and (18). The frequency response of the detection wire coil transducer to the input drive for the torsional mode of vibration, the corresponding HP3562 curve fit response, and the list of poles and zeros are illustrated in Figure 5. The first four torsional resonances, which are harmonically related, are clearly identifiable. The frequency response of the flexural mode of vibration, the corresponding HP3562 curve fit response, and corresponding table of poles and zeros are illustrated in Figure 6. The corresponding resonance frequencies and quality factors determined from these poles and zeros are tabulated in Table 2. Due to temperature changes in the room, the measured resonance frequencies do differ for different measurements and thus more accurate temperature control by means of an environmental chamber is needed for measurement-to-measurement repeatability.

Having obtained the two independent moduli, the set of elastic constants for the isotropic material can be determined, *i.e.* the Poisson's ratio, v, is found to be 0.444 from<sup>4</sup>, v = [E/(2G)] - 1, and using the average value for the Young's modulus of  $E = 2.7 \times 10^9$  Pa and the shear modulus of  $G = 0.935 \times 10^9$  Pa.



Figure 5. Frequency response of the transducer coil output for the torsional modes of the bar. The dotted line is a generated HP3562 frequency response with corresponding curve fit parameters (poles and zeros) listed below.



Figure 6. Frequency response of the transducer coil output for first two flexural modes of the epoxy bar. The dotted line is a the HP3562 curve ft frequency response with corresponding curve fit parameters (poles and zeros) listed below.

	Mode # [n]	Frequency [f <sub>n</sub> ] (Hz)	Freq/Mode # [f <sub>n</sub> /n] (Hz)	Quality factor [Q]
Torsio	nal			
	1	1474	1474	19.42
	2 3 4.	3077 4692 6276 Average	1539 1564 <u>1569</u> 1536	21.94 20.64 <u>19.32</u> 20.34
Flexur	al			
(3 (4	.0112) <sup>2</sup> .9994) <sup>2</sup>	183.1 516.0 Average	20.11 <u>20.59</u> 20.35	35.54 <u>38.14</u> 36.86

Table 2. Resonance frequencies and Q's determined from the pole zero plots in Figures 5 and 6 and the eqns. (17) and (18).

## 6. CONCLUSIONS

A resonant method for determining the complex Young's and shear modulus of elasticity has been presented that uses coils of wire to excite and detect vibrational modes of a bar. For detection, an optical interferometer, whose leg is cast in the material under investigation, can also be used to accurately detect the three resonant modes via strain induced phase modulations.

## 7. ACKNOWLEDGEMENTS

This work was supported by the Naval Postgraduate School Direct Funded Research Program.

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## APPENDIX B. MATERIAL SPECIFICATION SHEETS

1. URALITE 3130

2. PR1592



<b>TECHNICAL</b>	DATA	BULLE	ETIN
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• No moisture sensitivity

法制行在 数据图书和网络第二代前期间接着新闻 网络小小小小小花上的小原田、新校集团建筑有限的 化化合合物产品 建合金化合

- Excellent hydrolytic stability (Reversion Resistance)
  - No TDI, no 4,4' -Methylene-bis-(2-chloroaniline)
    - Fast cure, quick demolding
      - High abrasion resistance
        - Low Viscosity
          - Good Electrical Properties
            - Good Adhesion to many substrates

١.

#### DESCRIPTION

Uralité 3130 is a two component, natural amber or black urethane casting elastomer. This tough room temperature mixing and curing system has excellent handling characteristics. Uralite 3130 is a middle of the hardness range, general purpose, versatile Uralite elastomer. It does not exhibit typical moisture sensitive characteristics of most urethane elastomers.

#### USES:

- Electrical and Electronic Encapsulating
- Molds and Mold Facings
- Metal forming pads
- Flexible snakes
- Gaskets
- Abrasion resistant parts

#### **PROPERTIES:**

	Test Method	Value	(Metrics)
Shore Hardness A/D	ASTM D 2240-68	80-85/25-3	30
Viscosity Part A – cps	ASTM D 2393-71	3400	
Viscosity Part B – cps	ASTM D 2393-71	120	
Mixed Viscosity – cps	ASTM D 2393-71	2000	
Tensile Strength – psi (kg/cm <sup>2</sup> )	ASTM D 412-68	2750	(193)
Elongation - %	ASTM D 412-68	250	
Tear Strength — pli (kg/cm)	ASTM D 624 Die C	250	(45)
Dielectric Strength - step			
@ 77°F (25°C), volts/mil	ASTM D 149-64	240	
Dielectric Constant – @77°F (25°C)	ASTM D 150-54T		
10 <sup>6</sup> Hz		5.6	
10 <sup>3</sup> Hz		7.2	
Volume Resistivity – @77°F (25°C)			
@1000V, ohm-cm	ASTM D 257-70	$1 \times 10^{13}$	
Surface Resistivity – @77°F (25°C)			
1000V, ohms	ASTM D 257-70	$2 \times 10^{13}$	

(over)

PROPERTIES: (Continued)	Test Method	Value	(Metrics)
Insulation Resistance – @77°F (25°C) oh	ms		
after 28 days @ 95° F (35°C) 95% RH	WE ATS612	1 x 10 <sup>11</sup>	
Pot Life — min. @ 77°F (25°C)	ASTM D 2471-71	J4 े	
Shrinkage - in/in (mm/mm)	ASTM D 2566-69	0.0016	
Density	ASTM D 792-66		
Cured Compound Ibs/in <sup>3</sup> (g/cm <sup>3</sup> )		0.039	(1.07)
Part A Ibs./gal. (g/cm <sup>3</sup> )		8.58	(1.03)
Part B lbs./gal. (g/cm <sup>3</sup> )		9.15	(1.10)
Demolding Time – hrs @ 77°F (25°C)		4	
Demolding Time – hrs @ 175°F (79°C)		1	
Complete Cure – days @ 77° F (25° C)		2 - 4	
Complete Cure 占 hrs. @ 175° F (79°C)		2 - 3	
Color		Amber or Black	
Ratio (By Weight):			
Part A		100	
Part B		30	
Ratio (By Volume):			
Part A		100	
Part B		28	

These physical properties are representative of typical values obtained by tests conducted in the Chemical Products Division laboratory.

#### STORAGE:

Uralite 3130 should be stored in a cool dry area. Avoid temperatures above 90° F and below 65° F. Always blanket Uralite 3130 with dry nitorgen or 8440 Inert Blanketing Gas and reseal container after use.

#### SURFACE PREPARATION SUGGESTIONS:

Porous materials, such as plaster and wood, must have all surfaces that come in contact with Uralite 3130 well-sealed with a sealer which is compatible with urethane (acrylic sealers are suggested). After sufficient drying time, approximately thirty (30) minutes after last coat, the final surface preparation consists of the application of a release agent such as Partingkote ® 8302 (wiping off excess) to accomplish a complete and uniform release coating.

#### MIXING:

Ratio: Parts	by Weight	Part A -	100	Ratio:	Parts by '	Volume	Part A	_	100
		Part B 🗕	30				Part B		28

Weigh both components into same container and stir slowly for 2-4 minutes, scraping the sides and bottom of container periodically to include unmixed material which may adhere to these surfaces. Care must be taken to avoid whipping air into mixture. Pour the thoroughly mixed Uralite 3130 onto the prepared surface and allow to cure. Working pot life of Uralite 3130 is approximately 14 minutes.

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#### CURING:

Near ultimate physical properties are normally attained after 2 days at room temperature (77°F). Curing of Uralite 3130 may be accelerated by heating for 1-2 hours at 175°F. Demolding can be accomplished after 4 hours at room temperature.

#### PACKAGING:

UNIT DESIGNATION	PARTA	PARTB	UNIT <u>NET WEIGHT</u>
12 Qt. Pack (pre-weighed)	12-One Qt. Cans	12-1/2 Pint Cans	22 lbs. 13.12 ozs.
Pail Pack	5 Gal. Pail	2½ Gal. Can	52 lbs.
Drum Pack	55 Gal. Drum	30 Gal. Drum	585 lbs.

#### CAUTION:

#### FOR INDUSTRIAL USE ONLY.

This product contains an isocyanate based prepolymer, amines and heavy metal catalysts which are harmful if swallowed. It does not contain toluene diisocyanate or 4,4' methylene bis-(2-chloroaniline). It may cause burns or skin irritation. Use only in a well ventilated area. Protect skin and eyes from contact and avoid inhalation of vapors.

Should skin contact occur, wash with soap and water. For eye contact, flush with water immediately and obtain medical attention. If swallowed, drink water, induce vomiting and contact a physician immediately.

WARRANTY The following is made in lieu of all warranties, express or implied: Seller's only obligation shall be to replace such quantity of this product which has proven to not substantially comply with the data presented in the Manufacturer's latest bulletin describing the product. In the event of the discovery of a non-conforming product, Seller shall not be liable for any property loss or damage, direct or consequential, arising out of the use of or the inability to use the product. Before using user shall determine the suitability of the product for his intended use, and user assumes all risks and liability whatsoever in connection therewith. Statements relating to possible use of our product are not guarantees that such use is free of patent infringement or is approved by any government agency. The foregoing may not be changed except by an agreement signed by an officer of seller.

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# AEROSPACE/ELECTRONIC PRODUCTS . -

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## PR-1592

## POTTING AND MOLDING COMPOUND

## Use

Especially formulated as a high hardness molding compound for electrical cables and/or as a potting compound for electrical connectors where resistance to cold flow, fexibility, high tensile strength, and exposure from -70°F to 275°F for extended periods are required.

## Description

PR-1592 is a noncracking, chemically curing, polyurethane compound which is supplied in Amber or Black and in two-part quantities or premixed and frozen in plastic cartridges. PR-1592 cures at 180°F to a tough, flexible, cold flow-resistant, high tensile strength rubber with a Shore A hardness of 85. PR-1592 will cure at 75°F, but the resultant physical properties will be lower than when heat cured. Properly cured PR-1592 is designed to withstand temperatures as high as 275°F for extended periods without blowing, deterioration or loss in electrical properties, and has excellent flexibility at -70°F.

The viscosity of PR-1592 allows the material to be degassed easily when supplied in two part units and provides for excellent flow of characteristics in encapsulating, molding and potting applications.

PR-1592 must be used with a primer on metal, neoprene and polyvinyl chloride surfaces.

### Specifications

PR-1592 meets the requirements of MIL-M-24041C Category B

## Application Properties (Typical)

Color	Dark Ambar at Plack
Part B	Straw
Mixing Ratio	Part A:Part B 53:100 by weight
Nonvolatile Content	99%
Viscosity (Brookfield Spindle Two-part unit Premixed, frozen	#3 @ 10 rpm) 200 poises 700 poises
Application Life Two-part unit	
Time to 2500 poises Premixed, frozen	2 hrs. @ 75°F
Time to 2500 poises	1 hr. @ 75°F
Mold Release Time	2 hrs. @ 180°F
Cure Time	
To 75 Shore A hardness	7 days @ 75°F or 6 hrs. @ 180°F €256
To 85 Shore A hardness (Ultimate cure)	21 days @ 75°F or 16 hrs. @ 180°F 200

NOTE: The above times are at the temperature indicated. Therefore, it is necessary to allow time for the mass of material, molds, etc. to reach the temperature.

Performance Properties (Typical) (Cured 16 hours at 180°F) Color Dark Amber or Black Specific Gravity 1.08 Hardness, Shore A 85 Volume Shrinkage 4% **Tensile Strength** 6000 psi Ultimate Elongation 425% Tear Strength (Die C) 320 lbs./in. 1 100% Modulus 600 psi Compression Set (ASTM D 395, Method B) 22 hrs. @ 158°F 40% Ozone Resistance Conforms (Tested in accordance with MSFC-SPEC 202B) Moisture Absorption 2.4% (Tested in accordance with MIL-M-24041) Flame Resistance Current overload; 55 amps DC applied 21/2 mins. through #16 wire No ignition Flame exposure: ASTM D 635-63 Self-extinguishing

SUPERSEOES MARCH 1987 DATE ISSUED

SEPTEMBER 1987

PRODUCTS RESEARCH & CHEMICAL CORPORATION 5454 SAN FERNANDO ROAD

POST OFFICE BOX 1800 GLENDALE, CALIFORNIA 91209 AREA CODE (818) 240-2060

410-416 JERSEY AVENUE GLOUCESTER CITY, NEW JERSEY 08030 AREA CODE (609) 456-5700 01-T-0:0 PR-1592

PR-1592

<sup>(</sup>Continued on Page 2)

Performance Properties (Continued from Page 1)

		(Cored to ms. @ 180	(F)
Hydrolytic Stability, Hardnes After 120 days @ 158°F, 95% RH	ss Change - 15%	Arc Resistance Dielectric Strength Dielectric Constant	150 seconds 300 volts/mil
Adhesion, Peel Stength Aluminum (Primed with PR-420)	40 piw	At 1 KHz @ 75°F At 1 MHz @ 75°F Power Factor	6.5 4.6
Neoprene (Primed with PR-1523-M) PVC (MEK tackified)	25 piw 28 piw	At 1 KHz @ 75°F At 1 MHz @ 75°F Insulation Resistance	0.08 0.06
Fungus Resistance (Tested in accordance	Non-nutrient	At 75°F ` At 250°F	5 x 10 <sup>s</sup> megohms 150 megohms
with MIL-E-5272A)		Resistivity Volume, ohm-cm Surface, ohms	At 75°F         At 250°F           1 x 10 <sup>12</sup> 4 x 10 <sup>9</sup> 1 x 10 <sup>13</sup> 8 x 10 <sup>10</sup>

NOTE: The above application, performance and electrical property values are typical for the material, but are not Intended for use in specifications or for acceptance Inspection criteria because of variations in testing methods, conditions and configurations.

## Purchasing Data

#### **PRODUCT DESIGNATION**

When ordering this product, designate PR-1592 and color as follows: PR-1592 Amber or PR-1592 Black. NOTE: Refer to "Surface Preparation" for primer requirement.

#### STANDARD PACKAGING Two-Part Units

Designation	Part A Container	Part B Container	Unils per Case
40 fl. oz. unit	1-pt. can	1-qt. can	9
160 fl. oz. unit	1/2-gal. can	1-gal. can	4

NOTE: The unit designales the total fluid ounce content of Part A and Part B (128 fluid ounces per gallon). Standard units are furnished with a premeasured quantity of Part A and Part B, individually packaged.

#### Frozen Cartridges

Designation	Approximate Contents	No. Cartridges per Case
21/2 oz. cartridge	21/4 fl. oz.	72
6 oz. cartridge	5¾ fl. oz.	36
12 oz. cartridge	111/2 fl. oz.	36

## Surface Preparation

#### CLEANING

Connectors or other metal surfaces must be free of grease, oil and wax in order to insure good adhesion. Use oil-free solvent applied with a small brush or oil-free cloths for cleaning (reclaimed solvents should not be used). Premixed cleaners are commercially available. Do not expose wire insulation and inserts to the cleaning solvent beyond the time necessary for adequate cleaning.

#### APPLICATION OF PRIMER

For maximum adhesive strength between PR-1592 and the material to which it is to be bonded, the following surface preparations are required:

NOTE: Do not dip priming brush into primer supply. To maintain an uncontaminated primer supply, pour a small portion of primer into a clean container from which it should be used. Reseaf primer supply immediately after portion has been removed.

#### (a) Metal

Metal must be primed with PR-420. Thoroughly mix 1 part of Part A with 6 parts of Part B by volume. Do not mix more than can be used within a 4 hour period. Brush a thin film of mixed PR-420 on all inside surfaces of connectors and on wire, but not on the insulation. Let primer dry for 1 hour at 75°F. If primer becomes contaminated, reclean primed surface lightly with methyl ethyl ketone and dry. Stripping the primer from the connector and repriming is not necessary.

#### PRIMER DESIGNATION

When ordering primer, designate PR-420, PR-1523-M or PR-1543 as required under "Surface Preparation."

Electrical Properties (Typical)

Curad 16 bis @ 19095

#### STANDARD PACKAGING

PR-420 is packaged as follows:

	Part B	Total	No. pe
Designation	Conlainer	Contents	Case
# 7 kit	1/2-pt. can	7 fl. oz.	16
#14 kit	1-pt. can	14 fl. oz.	16

NOTE: the kil number designates the total fluid ounce content of Part A and Part B. Kils are furnished with a premeasured quantity of Part A and Part B individually packaged. The kils are designed so that adequate space is available in the Part B container for addition of Part A and mixing.

PR-1523-M and PR-1543 are packaged ready to use in the following containers:

Designation	Container	Contents	Case
2 fl. oz. 1/2 pint	2 fl. oz. bottle 1/2-pint bottle	2 fl. oz. 8 fl. oz. J	6 12
One pint	1-pint bottle	16 fl. oz.	12

#### (b) Neoprene

To obtain good adhesion to neoprene insulation, the surface should be abraded with a suitable abrasive to remove grease, oil, wax or mold release. Remove rubber particles with a dry oil-free brush.

Apply a liberal coat of PR-1523-M to the clean neoprene surface by brush and allow to dry for approximatefy 30 minutes at room temperature. After 30 minutes drying time, wipe off excess PR-1523-M primer with a clean, gauze pad and start the potting or molding procedure. Drying time of PR-1523-M should not exceed 4 hours at room temperature before potting or molding. If primed surface becomes contaminated or potting or molding is not accomplished within 4 hours after application of PR-1523-M, buff neoprene and repeat priming procedure. NOTE: PR-1523-M is hygroscopic and must be kept free of moisture. When PR-1523-M hydrolyzes, a dark grainy precipitate is formed decreasing the primer usefulness. Material containing precipitate should be tested to determine that adhesion is satisfactory before using.

#### (c) Polyvinyl Chloride

To obtain good adhesion to polyvinyl chloride insulation, the surface should be made tacky with methyl ethyl ketone. The use of a primer may be necessary only with some formulations of polyvinyl chloride. Therefore, it is suggested that tests be made to determine the adhesive strength of PR-1592 to the polyvinyl chloride in question.

Should a primer be required, then apply a thin coat of PR-1543 to the tackified surface by brush and allow to dry 30 minutes at room temperature. If primed surfaces become contaminated before potting or molding, buff primed surface with a suitable abrasive and reapply a thin coat of PR-1543.

It should be noted that there are many formulations of polyvinyl chloride. Therefore, it is suggested that before production quantities of PR-1543 are ordered, tests be made to determine the adhesive strength of the PR-1543/PR-1592 system to the polyvinyl chloride in question.

NOTE: PR-1543 is hygroscopic and must be kept free of moisture. When PR-1543 hydrolyzes, a precipitate is formed decreasing the primer usefulness.

#### (d) Teflon\* and Other Fluorocarbons

To obtain good adhesion to insulation made of Teflon and other fluorocarbon resins, it is essential that the insulation be etched or treated to provide a bondable surface. After neutralization of the etchant, in accordance with the manufacturer's instructions, apply PR-1592 directly to the etched surface without primer.

#### REPAIR

To obtain good adhesion to previously cured PR-1592, the surface should be buffed with a suitable abrasive to remove grease, oil, wax or mold release. Remove rubber particles with a dry, oil-free brush.

CAUTION: Do not use solvents for cleaning cured PR-1592. Apply new PR-1592 directly to buffed surface and cure as recommended. No primer is required.

#### Mixing Instructions

#### FOR TWO-PART UNITS

Do not open containers until ready to use.

Part A will solidify at room temperature. Prior to use, loosen lid and warm to 250° ± 10°F with thorough stirring. Do not heat over 260°F. When warming the material, use a thermometer to determine the actual material temperature. Liquefaction is complete when the material becomes smooth and uniform in appearance and loses all signs of graininess. Stirring is essential during liquefaction to provide a uniform material and to hasten melting. Care should be taken to dissolve all solidified Part A around the top of the container. Trace quantities of unliquefied Part A will cause premature solidification. Do not store Part A at temperatures exceeding 100°.

Premeasured quantities may be divided into smaller quantities by using the following proportions:

By weight 53 Parts A to 100 Parts B.

NOTE: After removing a portion of Part B from a full container, moisture in the air in the empty portion of the Part B container tends to cause the remaining material to skin over during extended periods of standing. This material may be used by removing the skin.

Where a dense compound free of voids is required, it is recommended that the mixed material be degassed before applications are made. Standard vacuum equipment may be used or, for small usages, the material may be degassed in a standard laboratory desiccator connected to a vacuum pump.

The following degassing procedure is recommended:

- 1. Stabilize Part A and Part B at 75° to 85°F before mixing.
- 2. Place Parts A and B in a clean, dry, metal container having at *least* twice the volume of the material to be degassed. Mix Part A and Part B thoroughly with a metal mixing paddle. NOTE: DO NOT USE WOOD.
- 3. When Parts A and B are mixed thoroughly, degas the mixture until foaming subsides which is approximately 10 minutes at a pressure of less than 5mm of mercury for a pint of material. Larger quantities will require slightly longer periods of degassing.
- 4. When the material is to be applied by extrusion gun, it is suggested that after transferring the degassed material into the extrusion gun cartridge the material be degassed at a pressure of less than 5mm of mercury .

\*Registered trademark for DuPont tetrafluoroethylene resin.

for 2 minutes to remove any air which may have been entrapped during cartridge filling. If extra care is the laken when filling cartridges with degassed material, such as flowing the material down the side of the cartridge, the material may not need to be degassed in the cartridge.

NOTE: After mixing Parts A and B: subsequent operations should be accomplished as quickly as possible to minimize the reduction of application life.

After units of PR-1592 have been mixed and degassed, they may be frozen for storage under refrigeration. Use of a quick-freeze technique is recommended so as to minimize the amount of application life that would be lost in a slower cooling procedure. One successful method is to immerse the filled cartridge in a slurry of dry ice and alcohol for 10 minutes. The temperature of the sealant will drop to approximately – 70°F and the cartridges may be transferred to a refrigeration storage unit maintained at – 20°F or below.

It is suggested that tests be conducted to determine whether degassing is necessary for the material to meet oarticular requirements. When it has been found that degassing is not necessary to meet requirements, mix entire contents of Part A with Part B, or use in the proportions as shown above, and thoroughly mix. Slow mixing by hand or with a mechanical mixer is recommended. A high-speed mechanical mixer will generate internal heat which reduces application life and will whip air into the mixture resulting in a porous material upon curing.

#### THAWING OF FROZEN CARTRIDGES

Frozen cartridges of PR-1592 must be thawed as follows:

NOTE: It is essential that the thawing time and temperature be controlled closely to obtain the maximum application life in the shortest thawing period. An increase in either thawing time or temperature will result in an incomplete thaw.

Remove cartridge from storage and thaw for 30 minutes in a  $100^{\circ} \pm 5^{\circ}$ F heating block or water bath. If an oven is used to thaw the material instead of the recommended water bath or heating block, the time and temperature will have to be determined because of the variations in oven controls and circulation.

NOTE: If a water bath is used, be sure water does not enter cartridge. The recommended method of preventing water from entering the cartridge is to use a metal sleeve, closed at one end, with a diameter just large enough to allow the cartridge to be inserted to the tip and then place the sleeve upright in the water bath.

CAUTION: When thawing frozen cartridges of PR-1592, keep cartridges in an upright position, nozzle end down with CaPlug in place, to prevent air that may have been drawn into the cartridge during freezing from entering and being trapped in the compound. After thawing is complete, just before placing the cartridge in the gun, insert a thin piece of metal or spatula blade between plunger and cartridge wall to the shoulder of plunger. Then force plunger down to exhaust any air between compound and plunger face and continue until material just starts to extrude between plunger and cartridge wall. Remove metal or spatula while holding plunger down.

## Application Instructions

#### FOR POTTING

Application is accomplished by injecting the sealant into the end bell of the connector which has been coaled previously with primer. Separate the wires evenly so that the potting compound will flow around all wires and soldered connections.

For most potting applications, a Semco #440 nozzle with 1/8" diameter has been found most practical. However, nozzles of smaller diameter are available.

When applying PR-1592 with an extrusion gun, the nozzle first should be inserted between the center wires so that the sealant will flow around the contacts. It may be necessary to reposition the nozzle for even coverage. Care should be taken to eliminate voids and air bubbles. It is good practice when filling the connector to keep the tip of the nozzle just above the swell of the material level, moving the nozzle up as the connector fills. The tip of the nozzle should not be held so as to allow it to become submerged nor should it be held so as to allow the material to fold.

In applying PR-1592, every effort should be made to eliminate voids and air bubbles. A small piece of metal, such as a welding rod, should be used to tamp or pack the compound around the wires and the base of the pins. In conjunction with the tamping, the connector should be tapped on a resilient surface or even the mechanically vibrated to facilitate the flow of the sealant into the small recesses.

To reduce viscosity and enhance flow of compound, connectors or molds may be heated up to 140°F prior to filling. Do not heat the molding compound, as it will thicken and shorten application life.

Molds may be prepared to the exact shape and form required in a particular connector application by utilizing various plastic materials commercially available. A form or mold may be made for the back of a connector by using masking or polyethylene tape. Reference is made to the handbook, *Installation Practices for Aircraft Electric and Electronic Wiring*, (Navy) NAVAER 01-1A-505 or (USAF) T.O. 1-1A-14 dated 30 June 1975.

#### FOR MOLDING

When PR-1592 is used as a molding compound, molds should be provided for forming the particular form and shape required. To facilitate the removal of PR-1592 from the mold after curing, spread a thin film of mold release compound on mold surface to prevent adhesion. Metal molds may be coated with Teflon tetrafluoroethylene

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resin to provide a permanent release film and eliminate the necessity of using a mold release compound.

## Mold Release and Cure

The mold release time for PR-1592 is dependent upon the temperature, quantity of material, mold mass, ect. In molds containing less than 24 fluid ounces of PR-1592, the mold release time is approximately 2 hours at 180°F. In molds containing 24 to 48 fluid ounces of PR-1592, the mold release time is approximately 3 hours at 180°F. Longer times will be required for the mold release of PR-1592 in larger molds.

PR-1592 cures to a tough, resilient material having a 75 Shore A hardness in 6<sup>th</sup>ours at 180°F. PR-1592 will cure at 75°F, but the physical properties will be lower than when cured at 180°F.

## **Cleaning of Equipment**

Wash equipment, tools and brushes with methyl ethyl ketone immediately after use or before material cures. Use commercial stripping compounds to remove cured material.

## Safety Precautions

PR-420 contains flammable and volatile solvents. Keep away from heat, sparks and flame. Proper precautions for working with flammable liquids should be followed as well as applicable safety precautions.

## Storage Life

Storage life of PR-1592 in two-part quantities is 12 months when stored at temperatures below 80°F in original unopened containers.

Storage life of premixed, frozen PR-1592 is at least 7 days when stored at  $-20^{\circ}$ F or at least 30 days when stored at  $-40^{\circ}$ F.

Storage life of PR-420 is approximately 1 year when stored in original unopened containers below 80°F.

Storage life of PR-1523-M and PR-1543 is approximately 6 months when stored in original unopened containers below 80°F.

NOTE: PR-1523-M and PR-1543 are hygroscopic and must be kept free of moisture. When these primers hydrolyze, a precipitate is formed decreasing the primers usefulness. Material containing precipitate should be tested to determine that primer is satisfactory before using.

## **Health Precautions**

Part B of PR-1592 and related primers, PR-420, PR-1523-M, and PR-1543, contain isocyanates and can produce irritation or allergic reaction following contact with the skin, eyes or mucous membranes. Avoid all contact with the uncured components of these materials. In case of contact, promptly wash off with copious quantities of water and follow with a soap and water wash. Avoid breathing vapors. Use with adequate ventilation. Individuals with chronic respiratory problems or prior respiratory reactions to isocyanates should not be exposed to vapors.

PR-420 contains mixed solvents and a lead compound. Use adequate ventilation or air-supplied respirator during application.

In cases of extreme exposure or adverse reactions to any of the products mentioned above, remove affected personnel to fresh air and obtain immediate medical attention. If a rash develops, consult a physician. Ordinary hygienic principles such as washing hands before eating or smoking must be observed. For complete health and safety information, consult a Material Safety Data Sheet.

"PRC" is a trademark of Products Research & Chemical Corporation, registered with the U.S. Patent Office

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# APPENDIX C. ENVIRONMENTAL CHAMBER SPECIFICATION SHEETS

## TEMPERATURE/HUMIDITY

## CF MBERS



#### ASSOCIATED ENVIRONMENTAL SYSTEMS

These are all standard units — readily available — many from stock. Now you can pick the unit to suit your needs and your budget... Bench Top and Floor Models — four temperature ranges to choose from — choice of 6 working volumes — 15 different units in all.

#### **BENCH TOP MODELS—BHD Series**

The BH0-403, 405 or 408 (last two digits indicate cubic foot working volume) are bench top units that will allow testing to meet known Mil. Std. Humidity Specifications. These units are basically Humidity chambers since they have a limited temperature range when compared to the Floor Models. In order to properly control humidity a refrigeration system is required.

Simple and easy to operate. The basic chambers have a digital dry bulb and a direct setting digital % RH controller (see optional extras for automatic programming and recording) Simply connect the power, 1/4" water supply line and 3/8" drain line and you are ready to operate

#### Temperature Range: $-18^{\circ}C(0^{\circ}F)$ to $+93^{\circ}C(+200^{\circ}F)$

Humidity Range: 20% to 95%  $\pm$  5% RH within the range of + 20°C (68°F) to + 85°C (185°F) and is limited by a + 4°C (39<sup>5</sup>F) dew point temperature, using standard controls Optional microprocessor and recorders are available. Lower humidities available with optional chemical driver.

#### FLOOR MODELS—HD SERIES

This series of Humidity Chambers allows you to custom design a chamber to satisfy your needs and your budget. Four working volumes to choose from 08, 16, 33 and 64 Ft.<sup>3</sup>—Three Temperature Ranges.

Humidity Range: 20% to 95% RH within the range ol +20°C (68°F) to +85°C (185°F) and is limited by a +4°C (39°F) dew point temperature.

With 86651 Programmable controller. Control stability of ±3% RH.



Select the temperature range:

The 400 series has a temperature range of  $-18^{\circ}$ C to  $+177^{\circ}$ C (0°F to  $+350^{\circ}$ F) The 500 series has a temperature range of  $-40^{\circ}$ C to  $+177^{\circ}$ C ( $-40^{\circ}$ F to  $+350^{\circ}$ F) The 200 series has a temperature range of  $-70^{\circ}$ C to  $+177^{\circ}$ C ( $-100^{\circ}$ F to  $+350^{\circ}$ F)

Select the working volume:

Indicate it as the last two digits of the model number - Sizes: 08, 16, 33 or 64 Ft.3.

#### FEATURES (illustrated on page 4)

- FAILSAFE- An adjustable high temperature failsafe is standard on all Associated Environmental System Chambers It is lactory set at the ultimate high temperature capability of the chamber. Upon receipt of the chamber, the customer should set the dry bulb controller to 10° above the highest test temperature and adjust the failsafe. This will prevent the test chamber from a temperature overrun
- FUSIBLE LINKS (in the heater circuit) For over temperature protection
- MULTIPANE VIEWING WINOOWS In the door of all chambers (optional on BHO Series)
- INTERNAL LIGHT with external switch standard on all floor models optional on bench top units.
- PILOT LIGHTS to monitor proper function of various systems.
- INTERIORS All stainless steel type 304 heliarc welded
- EXTERIORS Heavy gauge, cold colled steel with two coats of textured enamel finish
- INSULATION High density, low K lactor, non-settling fiberglass.
- VAPOR GENERATORS When humidity is required the controller signals the vapor generator to induce water vapor into the chamber. This method of creating high humidities is superior to the older methods of spraying water or passing warm air over water.
- VAPOR GENERATOR FAILSAFE All A.E.S humidity chambers are equipped with a factory set failsafe control to shut down the vapor generator in the event of a no water situation.
- FREEZE PROTECTION Since all A.E.S. Chambers have the capability of going below the freezing point of water, each humidity chamber has a freeze protector which is factory set at 1.67°C (+35°f) This control actuates a solenoid valve to drain water from the chamber and prevent damage due to freezing of water.

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- FORCED AIR CIRCULATION High volume air circulation is standard on all units to achieve uniformity in the work space. The interior fan is connected to an external motor with a stainless steel shaft
- WIRING Coded readily accessible. In accordance with NEC
- CONTROLS All located in a hinged access panel with all relays and fuses readily accessible
- ACCESS PORT A 2" diameter access port and plug in left side wall on floor models and right side wall on bench tops is pre-punched in the metal – additional ports and plugs available.
- OIGITAL TEMPERATURE & HUMIOITY CONTROL-LERS \_\_\_\_





#### BENCH TDP MDDELS BHD-403, 405, 408

FLOOR MDDPLS HD-400, 500, 200

#### UNIT SPECIFICATIONS

		BEA	CH TOP MD	DELS						FLOOR	MODELS					
		Temp. Ra Hum.	inge: – 18°C Range: 20%	to + 93°C lo 95%	len	Temp, Range: - 18°C to + 177°C Temp, F Hum, Range: 20% to 95% Hum			Temp Range: - 40 °C to + 177°C Hum. Range: 20% to 95%				Temp, Range: - 73°C to + 177°C Hum, Range: 20% to 95%			
MODEL NO		BHD-403	8HD-405	8HD-408		HD-400	SERIES			HD-500	SERIES		HD-200 SERIES			
Working	Ft.3	03	05	08	80	16	33	64	08	16	33	64	08	16	33	64
Volume.	Liters	85	142	227	227	453	765	1812	106 227	453	765	1812	227	453	765	1812
Power Required:	VAC*	115 100	115 100	230 200	230 200	230 230	230 230	230 230	230 230	230 200	230 200	230 200	230 200	230 200	230 200	230 380
	U HZ Amps	60 50 16 16	60 50 16 16	60 50 10 10	60 50 20 24	60 50 28 28	60 50 30 30	60 50 32 32	60 50 26 26	60 50 30 30	60 50 30 30	60 50 35 35	60 50 35 30	60 50 40 35	60 50 50 50	60 50 64 34
Shipping	Lbs.	400	528	600	650 750	900	1300	1800	750 850	1000	1400	1900	1050	1200	1725	2375
Weight:	Kg.	182	240	273	295 340	408	590	816	340 386	454	635	862	476	545	184	1080
Window in	Door: Inches	Optional	Optional	Optional	8×8	12 x 12	12 x 12	12 x 12	8 x 8	12 x 12	12 x 12	12 x 12	8 x 8	12 x 12	12 x 12	12 x 12
Access Por	t.	2" dia 151	mml port & j right side wa	plug center II					2° dia.	l51 mmi po	rt & plug le	elt side wa	11			
Nominal Heater	Kw.	0.7	07	10	25	40	50	60	25	40	50	60	25	40	50	60
Refigeratio System:	HP	1/3	1/3	1/2	3/4	1	1	1½	1%	2	3	5	2 x 2	2 x 2	5 x 5	71/2 x 71/2
Temp. Rise Ambient to Limit in Min	Time • Upper	30	30	40	40	40	60	30	40	40	60	30	40	40	60	30
Temp Pull ( Time: Ambi Lower Limit	Down + ent to in Min	45	45	45	60	60	60	60	60	60	60	60	90	60	120	120
Programma Controller	ble	Optional	Optional	Optional			#86651	PROGR	ммав	LE CO	ŇTROL	LER S	STAND	RD		

•Rise & Pull Down Times may vary depending on ambient conditions and power supply

\* 208 VAC requires additional transformer

	8HD-403	8HD-405	BHD-408		HD-400, 500	, 200 SERIES	
Working Volume: F1. <sup>3</sup>	03	05	08	08	<sup>1</sup> 16	33	64
Size: H x W x D In. H x W x D cm.	16 x 20 x 16 41 x 51 x 41	20 x 22 x 20 51 x 56 x 5t	24 x 24 x 24 61 x 61 x 61	24 x 24 x 24 61 x 61 x 61	30 x 30 x 31 76 x 76 x 79	36 x 36 x 45 92 x 92 x 114	48 x 48 x 48 122 x 122 x 122

#### **OPTIONAL EXTRAS**

ATSIDE

- 1. Programmable Controller 86651 (standard on all floor models)
- 2. 86649 IEEE-488 interface ( required #1 option)
- 3. Product Protector limit controls
- 4. Honeywell 2 Pen 12" Circular Chart Recorder
- .5. 8" x 8" Window in Door for BHD-400 models
- 6. Manual Window Wiper
- 7. Internal Light with External Switch (standard on all floor models)
- 8. Water Storage Tank-External
- 9. Water Re-cycling System (includes external storage tank)
- 10. Water Demineralizer System
- 11.\* Extra Demineralizer Cartridge
- 12. Fully Adjustable Shelves
- 13. Additional Shetves

- 14. Casters
- 15. Additional Ports-Specify Location 34", 2", 3", 4", 5", and 6" diameter
- 16. Chamber Cart (lor BHD-403)
- 17. Floor Stand (BHD-405 & 408)
- 18. Liquid CO<sub>2</sub> Cooling Capability-specify psi
- 19. Liquid N2 Cooling Capability
- 20. Noise Reduction Package for floor models
- 21. Water Cooled Condenser
- 22. Other Power Source Requirements
- 23. Desiccant Dehumidilier lor low % RH requirements (consult factory with specs)



In line with our corporate policy of continuing product improvement and quality control. Associated reserves the right to change product witho

# APPENDIX D. RESONANCE TRACKING SYSTEM PROGRAM LISTING

10!	RT20C	Resonance Tracking System
20!	Written by	Brian Beaton
30!	Date	18 Mar 90
40!	Last modified	21 FEB 91
50!	Features added	1.Read one more DVM for Inphmag
60!		BDAT change to 40 records
70!		Measurement time 20 hours
801	:	avout of printer output change
901		Format of data storage change (for Mac)
1001		28 Jan 91 by Tan B H
1101		Display In phase mag vs Time on CRT
1201		Add plots of Inphrase mag vs Free and
120:	:	and plots of inplifing vs freq and
130		Iplinag vs Temp
140!		15 Feb 91 by Tan B.H.
150!		Compute reduced frequency
160!		Convert old data of R120B to R120C format
170!		BDAT change to 50 records
180!		21 FEB 91
190!		
200!**	****	******
210! Pi	rogram initialization	
220!**	*****	*************
230!		
240	MASS STORAGE I	S ":INTERNAL,4,0"
250	RE-STORE "RT20E	INTERNAL,4,1"
260!		
270	<b>OPTION BASE 0</b>	
280	DIM Thermistor(0:2	40),Resfreq(0:240),Time(0:240),Inphmag(0:240)
290	DIM Mod(0:240).X	0:240, Y(0:240), Alphat(0:240), Redfreg(0:240)
300	DIM Temp(0:240)	······································
310	DIM $Gtor(0.240)$ El	ng(0.240) Eflex(0.240)
320	DIM Label $(0.25)$ [5	)]
330	DIM Main title\$[50]	$Sub_{tit} = \{50\}$
3/0	DIM Y axis name	$501 \text{V}_{axis} \text{ name}[50]$
250	DIM Plack 19[50] P	$[30], I \_axis\_hancq[30]$ [aak2\$[50] Black2\$[50] Black2\$[50]
260	DIM C1¢[25] C2¢[	0CK2@[J0],DI0CKJ@[J0],DI0CK4@[J0]
270	DIM C(1)[25], C20[	25, $59$ , $25$ , $54$ , $25$ , $54$ , $25$ , $54$ , $25$ , $59$ , $25$ ,
200		(2), (0, 0, 0), (2), (2), (1), (2), (2), (2), (2), (2), (2), (2), (2
380	DIN LI\$[50],L2\$[5	0],L3\$[30],L4\$[30]
390 !		
400	Clear = CHR (255)	CLEAR SCRINKey
410	Home\$=CHR\$(255)	&CHR\$(84) ! HOME key
420 !		
430	Flag=0	!Flag=1 to indicate editing data
440	Tmode=1	! first torsional mode
450	Lmode=1	! first longitudinal mode
460	Fmode=3.0112	! first flexural mode
470!		
480	Sample_rate=5	! 1 sample every 5 minutes
490	Arg1=60/Sample ra	te ! samples per hour
500	Pi=PI	! 3.14159265
510	Default_grid\$="Part	ial" ! Full, Partial or No

520 !				
530	Label\$(1)="Resonance Fre	quency vs '	Time" ! Graph Main Titles,	
540	Label\$(2)="Temperature w	'as varied"	! Sub Titles, Axes names	
550	Label\$(3)="Time, hours"			
560	Label\$(4)="Resonance fre	quency, Hz	2"	
570	Label\$(5)="Temperature, (			
580	Label\$(6)="Resonance Fre	auency vs [	Temperature"	
590	Label\$(7)="Temperature v	Time"	F	
600	Label\$(8)="Frequency var	iation was o	observed"	
610	Label\$(9)="Young's Modu	lus vs Tem	perature"	
620	Label\$(10)="Shear Module	is vs Temp	erature"	
630	Label\$(11)="Shear modul	us $P_{2} \times 10^{10}$	A"	
640	Label (12)="Young's mo	dulus Pa v	z10^"	
650	Label (12) – Toung S mo	nitude DC	V"	
660	Label (14) =  In Phase Mas	vs Time"	. •	
670	Label (15) = m T hase Mag	vs Time		
680	Label (15) = III F Hase Mag	vs Temp		
6001	Labels(10) = III Fliase Mag	, vs rieq		
700	Dem 1-1	1 3376.44	Default colore	
700	P = 2 = 2		Default colors	
710	Pen2=2			
720	Pen3=3	! rellow		
730	Pen4=4	! Green		
740	Peno=5	! Cyan	(greenish blue)	
/50	Pen6=5	! Blue		
\00i	e ale ale ale ale ale ale ale ale ale al	و مارو مارو مارو مارو مارو مارو مارو م		I.
770!****	******	*****	***********	**
780 Optio	ons: ! Allow user to process	existing da	ata or collect new data	
790!****	*****	*****	* * * * * * * * * * * * * * * * * * * *	кж
800!				
810	OUTPUT KBD;Clear\$;		! Clear the CRT	
820	OUTPUT KBD;Home\$;		! Home display	
830	STATUS 1,9;Screen		! Get screen width	
840	Center=(Screen-28)/2	! Lead	ling spaces for centering	
850	GCLEAR			
860	PRINTER IS CRT	! Use	e CRT for displaying menu	
870	PRINT TABXY(1,1)	! Sta	art at top with blank line	
880	PRINT TAB(Center);"Key	Purpo	ose"	
890	PRINT TAB(Center);"		""	
900	PRINT TAB(Center);" 0	Process ex:	isting data"	
910	PRINT TAB(Center);" 4	Collect nev	w data"	
920	PRINT TAB(Center);" 5	Editing exi	isting data"	
930	FOR Keynumber=0 TO 9	-	! Off all keys	
940	ON KEY Keynumber L	ABEL "" G	OSUB Comment1	
950	NEXT Keynumber			
960	ON KEY 0 LABEL "Existi	ng Data" G	GOTO Existing_data ! Turn on Key 0	
970	ON KEY 4 LABEL "New	Data" GOT	O New data ! Turn on Key 4	
980	ON KEY 5 LABEL "Editir	g Data" GO	OTO Editing data ! Turn on Key 5	
990 Blink	(0: WAIT 1	0	0	
1000	DISP "Select an option"			
1010	WAIT 1			
1020	DISP			

1030	GOTO Blink0
1040	RETURN
1050!***	***************************************
1060 New	-data: ! Main program driver for collecting new data
1070!***	***********
1080	GOSUB Clear keys
1090	GOSUB Init param
1100	GOSUB Init periph
1110	GOSUB Input run data
1120	GOSUB Create new file
1130!	GOSUB Draw freq time
1140	GOSUB Draw mag time
1150	GOSUB Take plot data
1160	GOSUB Close file
1170	GOSUB Free periph
1180	GOSUB Post process
1100	STOP
12001***	**************************************
1210 Evia	ting data: I Main program driver for process existing data
1210 EXIS	**************************************
1220!	COSID Clear Irana
1230	COSUD Creat_Keys
1240	COSUB Deet process
1230	GUSUB Post_process
1200	**************************************
1270!***	· · · · · · · · · · · · · · · · · · ·
1200 Ealt	
1290!***	тоттттттттттттттттттттттттттттттттттт
1300	Flag=1
1310	GOSUB Clear_keys
1320	GOSUB Open_old_file
1330	GOSUB Calc_redfreq
1340	GOSUB Create_new_file
1350	GOSUB Close_file
1360	STOP
1370!***	***************************************
1380 Clea	r_keys: ! "Turns off" all softkeys and clears the screen
1390!***	***************************************
1400	FOR Keynumber=0 TO 9
1410	ON KEY Keynumber LABEL "" GOSUB Comment1
1420	NEXT Keynumber
1430	OUTPUT KBD;Clear\$;
1440	RETURN
1450!***	************************
1460 Init_ 1470!***	param: ! User sets the minimum and maximum values for initial plot
1480	Center=(Screen-46)/2 ! Leading spaces for centering
1490	PRINT TABXY(1.1) ! Start at top with blank line
1500	PRINT TAB(Center):"Key Purpose"
1510	PRINT TAB(Center):""
1520	PRINT TAB(Center);" 0 Set minimum resonance frequency"
1530	PRINT TAB(Center);" 1 Set maximum resonance frequency"

PRINT TAB(Center);" 2 1540 Set minimum in phase magnitude" PRINT TAB(Center);" 3 1550 Set maximum in phase magnitude" PRINT TAB(Center);" 5 Set minimum temperature in degrees, C" 1560 PRINT TAB(Center);" 6 1570 Set maximum temperature in degress, C" 1580 PRINT TAB(Center);" 7 Set the default values" PRINT TAB(Center);" 8 1590 Review the assigned values" 1600 PRINT TAB(Center);" 9 To proceed" 1610! 1620 ON KEY 0 LABEL "Min Freq, Hz" GOSUB Min\_frequency ON KEY 1 LABEL "Max Freq, Hz" GOSUB Max\_frequency 1630 ON KEY 2 LABEL "Min Mag, DCV" GOSUB Min\_mag 1640 ON KEY 3 LABEL "Max Mag, DCV" GOSUB Max\_mag ON KEY 4 LABEL "" GOSUB Comment1 1650 1660 ON KEY 5 LABEL "Min Temp, C" GOSUB Min\_temperature 1670 ON KEY 6 LABEL "Max Temp, C" GOSUB Max\_temperature 1680 1690 ON KEY 7 LABEL "Default Values" GOSUB Default values ON KEY 8 LABEL "Review values" GOSUB Review\_values 1700 ON KEY 9 LABEL "Proceed" GOTO Moveon 1710 1720! 1730 Blink1: WAIT 1 ! Wait for user selection and DISP "Select an option" 1740 ! then take appropriate action 1750 WAIT 1 1760 DISP 1770 GOTO Blink1 1780 Moveon: GOSUB Clear keys DISP "Proceeding ....." 1790 1800 WAIT 1 1810 DISP 1820 RETURN 1840 Comment1: ! Alerts user when an unassigned soft key is selected 1860 BEEP 300..1 1870 DISP "This soft key is unassigned" 1880 WAIT 1 1890 DISP 1900 RETURN 1920 Default values: ! Assigns default values for minimum and maximum T, F 1940 User\_freq\_min=1650 1950 User freq max=1900 User\_temp\_min=0 1960 User temp max=25 1970 DISP "The Default Values are Set" 1980 1990 WAIT 1 **GOSUB** Review values 2000 2010 RETURN 2030 Min frequency: ! Accepts user input for minimum frequency
INPUT "The minimum frequency for the plot, in Hz ?", User\_freq\_min 2050 DISP "The minimum frequency is set at: ";User\_freq\_min;" Hz" 2060 WAIT 1 2070 DISP 2080 2090 RETURN 2110 Max\_frequency: ! Accepts user input for maximum frequency 2130 INPUT "The maximum frequency for the plot, in Hz ?", User\_freq\_max DISP "The maximum frequency is set at: ";User\_freq\_max;" Hz" 2140 2150 WAIT 1 2160 DISP 2170 RETURN 2190 Min\_mag: ! Accepts user input for minimum magnitude INPUT "The minimum magnitude for the plot, in DCV ?", User\_mag\_min 2210 2220 DISP "The minimum magnitude is set at: ":User mag min 2230 WAIT 1 2240 DISP 2250 RETURN 2290 INPUT "The maximum magnitude for the plot, in DCV ?", User\_mag\_max DISP "The maximum magnitude is set at: "User mag max 2300 2310 WAIT 1 2320 DISP 2330 RETURN 2350 Review\_values: ! Presents currently assigned values for review 2370 DISP "Minimum frequency: ";User\_freq\_min;" Hz" 2380 WAIT 1 2390 DISP "Maximum frequency: ";User\_freq\_max;" Hz" 2400 WAIT 1 2410 DISP "Minimum magnitude: ";User mag min;" DCV" 2420 WAIT 1 2430 DISP " Maximum magnitude: ";User mag max;" DCV" 2440 WAIT 1 2450 DISP "Minimum temperature: ";User\_temp\_min;" C" 2460 WAIT 1 2470 DISP " Maximum temperature: ";User temp max;" C" 2480 WAIT 1 DISP 2490 2500 RETURN 2520 Min\_temperature: ! Accepts user input of minimum temperature INPUT "Minimum temperature, degrees C ?", User\_temp\_min 2540

2550 DISP "The minimum temperature is set at: ";User\_temp\_min;" C"

2560 WAIT 1 DISP 2570 RETURN 2580 2590!\*\*\*\*\*\*\*\*\*\* 2600 Max temperature: ! Accepts user input of maximum temperature 2620 INPUT "Maximum temperature, degrees C ?", User\_temp\_max DISP "The maximum temperature is set at: ":User temp max:" C" 2630 WAIT 1 2640 2650 DISP 2660 RETURN 2680 Init periph: ! Initializes the voltmeter and the frequency counter 2700! 720 - HP5316A Universal Counter 722 - HP3456A Digital Voltmeter 2710! 2720! 724 - HP3478A Digital Multimeter (added on 23 Jan 91) 2730! 2740 OUTPUT 720;"IN" ! Default state OUTPUT 722;"HF4R1M66STG100STI" 2750 ! 2 wire ohms, THMS degrees C 2760 ! 100 line cycles integration OUTPUT 724: "FIRAN5TIZIDI" 2770 2780 RETURN 2800 Free periph: ! Frees the voltmeter and the counter from the HPIB bus 2820 **LOCAL 720** 2830 LOCAL 722 2840 LOCAL 724 2850 RETURN 2870 Input run data: ! Accepts user input of selected run data 2890 Center = (Screen - 42)/2! Leading spaces for centering 2900 PRINT TABXY(1,1)! Start at top with blank line Purpose" 2910 PRINT TAB(Center);"Key 2920 PRINT TAB(Center);"----PRINT TAB(Center);" 0 2930 Enter rod identification" 2940 PRINT TAB(Center);" 1 Enter the run number for this mode" PRINT TAB(Center);" 2 2950 Enter the mode for this run" PRINT TAB(Center);" 3 Enter the date for this run" 2960 2970 PRINT TAB(Center);" 5 Enter the mass for this rod" 2980 PRINT TAB(Center);" 6 Enter the length for this rod" PRINT TAB(Center);" 7 PRINT TAB(Center);" 8 2990 Enter the diameter for this rod" Review the information entered" 3000 3010 PRINT TAB(Center);" 9 To proceed" 3020! 3030 ON KEY 0 LABEL "Rod ID" GOSUB Rod\_id ON KEY 1 LABEL "Run No." GOSUB Run\_number 3040 ON KEY 2 LABEL "Mode" GOSUB Mode 3050 ON KEY 3 LABEL "Date" GOSUB Date 3060

3070 ON KEY 4 LABEL "" GOSUB Comment1 ON KEY 5 LABEL "Rod Mass" GOSUB Rod\_mass 3080 ON KEY 6 LABEL "Rod Length" GOSUB Rod\_length 3090 ON KEY 7 LABEL "Rod Diameter" GOSUB Rod\_diameter 3100 ON KEY 8 LABEL "Review entries" GOSUB Review\_entrys 3110 ON KEY 9 LABEL "Proceed" GOTO Onward 3120 3130 Blink2: WAIT 1 DISP "Select an option or proceed" 3140 3150 WAIT 1 DISP 3160 **GOTO Blink2** 3170 3180 Onward: Volume=(Length/100)\*Pi\*.25\*(Diameter/100)^2 Density=(Mass/1000)/Volume 3190 GOSUB Clear keys 3200 DISP "Proceeding ..... " 3210 3220 WAIT 1 3230 DISP RETURN 3240 3260 Rod\_id: ! Accepts user input of rod identification INPUT "Rod identification block label (i.e. ECP4) ?",Block1\$ 3280 3290 WHILE LEN(Block1\$)>12 DISP "Limit Rod Identification to 12 characters" 3300 3310 BEEP 300..1 3320 WAIT 1 3330 DISP 3340 INPUT "Rod identification block label (i.e. ECP4) ?",Block1\$ 3350 **END WHILE** DISP "The Rod ID is set at: ";Block1\$ 3360 3370 WAIT 1 3380 DISP 3390 RETURN 3410 Run number: ! Accepts user input of run number 3420!\*\*\*\*\*\*\*\*\*\*\*\*\*\*\*\*\*\* \*\*\*\*\*\* 3430 INPUT "Run number for this mode (i.e. 4)?",Block2\$ 3440 DISP "The Run number is set at: ";Block2\$ 3450 WAIT 1 DISP 3460 3470 RETURN 3490 Mode: ! Accepts user input of the mode 3500!\*\*\*\*\*\*\*\*\*\*\*\*\* \*\*\*\*\*\*\* 3510 INPUT "Mode (i.e. Torsional, Longitudinal, Flexural)?",Block3\$ 3520 SELECT UPC\$(Block3\$) CASE "FLEXURAL", "TORSIONAL", "LONGITUDINAL" 3530 DISP "The mode is set as: ";Block3\$ 3540 WAIT 1 3550 DISP 3560 3570 CASE ELSE

3580	BEEP 300,.1		
3590	DISP "Choices are: Torsional, Longitudinal or Flexural"		
3600	WAIT 1		
3610	DISP		
3620	GOTO Mode		
3630	FND SELECT		
3640	RETURN		
36501****	***************************************		
3660 Dates	Accepts user input of run date		
26701****	. : Accepts user input of run date (************************************		
2690	INDLET "The date for this comple (i.e. 10 SED 80) 2" Please 4\$		
2600	WHILE I EN( $Dlock(4) > 0$		
2700	MALLE LEN(DIOCK4\$)>9 DISD "Limit data antra to 0 characters"		
3700	DISP Limit date entry to 9 characters		
3/10	BEEP 300,.1		
3720	WAII I		
3730			
3740	INPUT The date for this sample (i.e. 10 SEP 89) ?",Block4\$		
3750	ENDWHILE		
3760	DISP "The Date is set at: ";Block4\$		
3770	WAIT 1		
3780	DISP		
3790	RETURN		
3800!****	***************************************		
3810 Rod_	_mass: ! Accepts user input of the rod mass		
3820!****	***************************************		
3830	INPUT "The mass for this rod (units: grams)?", Mass		
3840	DISP "The mass is set at: ";Mass;" grams"		
3850	WAIT 1		
3860	DISP		
3870	RETURN		
3880!****	***************************************		
3890 Rod	length: ! Accepts user input of the rod length		
3900!****	**************************************		
3910	INPUT "The length for this rod (units: centimeters) ?" Length		
3920	DISP "The length is set at: "I enoth: "centimeters"		
3030	WAIT 1		
3040	DISP		
3050	DETLIDN		
20601****	\\````````````````````````````````````		
2070 Pod	diameters 1 A gamta user input of the red diameter		
20201****	_uiameter. : Accepts user input of the fou maneter		
3980!****	NIDITT "The diameter for this red (uniter continuators) ?" Diameter		
3990	DISD "The diameter for this rod (units: centimeters) ? , Diameter		
4000	DISP The diameter is set at: ;Diameter; centimeters		
4010	WALL I		
4020	DISP		
4030	KETUKN		
4040!**********************************			
4050 Revi	ew_entrys: ! Presents currently assigned values for review		
4060!***********************************			
4070	DISP "Rod ID: ";Block1\$		
4080	WAIT 1		

4090 DISP "Run: ";Block2\$ 4100 WAIT 1 DISP "Mode: ";Block3\$ 4110 4120 WAIT 1 4130 DISP " Date: ";Block4\$ 4140 WAIT 1 4150 DISP "Mass: ":Mass;"grams" WAIT 1 4160 DISP " Length: ";Length;" centimeters" 4170 4180 WAIT 1 DISP "Diameter: ";Diameter;" centimeters" 4190 4200 WAIT 1 DISP 4210 RETURN 4220 4240 Draw mag\_time: ! Produces Magnitude vs Time graph w/o curve 4260 Main title=Label(14) Sub\_title\$=Label\$(2) 4270 X\_axis\_name\$=Label\$(3) 4280 Y axis name\$=Label\$(13) 4290 4300 Xmin=0 Xmax=204310 4320 Ymin=Actual\_mag\_min Ymax=Actual\_mag\_max 4330 4340 GOSUB Generic plot RETURN 4350 4390 Main title=Label(1) 4400 Sub title\$=Label\$(2) X axis name=Label(3) 4410 Y axis name\$=Label\$(4) 4420 4430 Xmin=0 4440 Xmax=20 4450 Ymin=Actual\_freq\_min ! Actual minimum frequency Ymax=Actual\_freq\_max ! Actual maximum frequency 4460 4470 GOSUB Generic plot 4480 RETURN 4500 Young mod: ! Compute Young's modulus in flexure modes 4520 D=Diameter/100 4530 L=Length/100 4540  $Arg6=Density*((32*L^2)/(Pi*D*Fmode^2))^2$ 4550 Eflex(I)=Arg6\*Resfreq(I)^2 RETURN 4560 4580 Shear mod: ! Compute Shear Modulus  4600 D=Diameter/100 4610 L=Length/100  $Arg5=(Density*4*L^2)/(Tmode^2)$ 4620  $Gtor(J)=(Arg5*Resfreq(J)^2)$ 4630 4640 RETURN 4660 Lyoung mod: ! Compute Young's modulus in longitudinal mode 4680 D=Diameter/100 4690 L=Length/100 Arg7=(Density\*4\*L^2)/(Lmode^2) 4700 4710  $Elong(K) = Arg7*Resfreq(K)^2$ 4720 RETURN 4740 Compute\_redfreq: ! Compute redfreq of new data 4750!\*\*\*\*\*\*\*\*\*\*\*\*\*\* \*\*\*\*\*\* 4760 Temp(I)=Thermistor(I)+273.154770! X(I) = -12.9\*(Temp(I) - 283.15)/(107 + Temp(I) - 283.15) ! PR 1592 only4780 X(I) = -21.5\*(Temp(I) - 211)/(43.1 + Temp(I) - 211) ! Plexi-glass only4790 Y(I)=X(I)\*LOG(10)4800 Alphat(I)=EXP(Y(I))4810 Redfreq(I)=Resfreq(I)\*Alphat(I)4820 RETURN 4840 Calc redfreq: ! Convert RT20B to RT20C format 4860 FOR I=0 TO 20\*Arg1 4870 Temp(I)=Thermistor(I)+273.154880 X(I) = -12.9\*(Temp(I) - 283.15)/(107 + Temp(I) - 283.15) !PR 1592 only 4890 Y(I) = X(I) \* LOG(10)4900 Alphat(I)=EXP(Y(I))Redfreq(I)=Resfreq(I)\*Alphat(I) 4910 4920 NEXT I 4930 RETURN 4950 Compute\_modulus: ! Computes appropriate material modulus based on mode 4960!\*\*\*\*\*\*\* \*\*\*\*\*\*\*\*\* 4970 DISP "Computing appropriate modulus ......" 4980 D=Diameter/100 ! convert to meters 4990 L=Length/100 ! convert to meters 5000 SELECT UPC\$(Block3\$) CASE "FLEXURAL" 5010 5020 Arg2=Density\*((32\*L^2)/(Pi\*D\*Fmode^2))^2 5030 Eflex\_max=Arg2\*Actual\_freq\_max^2 5040 Power=LOG(Eflex\_max) DIV LOG(10) 5050 Scale factor=10^Power Scale eflex max=Eflex max/Scale\_factor 5060 Scale\_eflex\_min=(Arg2\*Actual\_freq\_min^2)/Scale\_factor 5070 FOR I=0 TO 20\*Arg1 5080  $Eflex(I)=(Arg2*Resfreq(I)^2)/Scale_factor$ 5090 5100 NEXT I

5110	CASE "TORSIONAL"			
5120	$Arg3=(Density*4*L^2)/(Tmode^2)$			
5130	Gtor max=Arg3*Actual freq max $^2$			
5140	Power=LOG(Gtor max) DIV LOG(10)			
5150	Scale factor=10^Power			
5160	Scale gtor max=Gtor max/Scale factor			
5170	Scale_gtor_max=Otor_max/Scale_ractor Scale_gtor_min=( $\Delta rg3*\Delta ctual_freq_min^2$ )/Scale_factor			
5180	$EOP I=0 TO 20* \Lambda_{ral}$			
5100	f(X) = 0 + 0 + 0 + 0 + 0 + 0 + 0 + 0 + 0 + 0			
5200	NEVT I			
5200				
5220	CASE LUNOITUDINAL $A_{red}$ (Density #4*LA2)/(LmodeA2)			
5220	Aig4=(Density + 4 + L + 2)/(Linode + 2) Eleme mere A red * A studie frequency (2)			
5230	Elong_max=Arg4*Actual_rieq_max^2			
5240	Power=LOG(Elong_max) DIV LOG(10)			
5250	Scale_factor=10/Power			
5200	Scale_elong_max=Elong_max/Scale_factor			
5270	Scale_elong_min=(Arg4*Actual_freq_min^2)/Scale_factor			
5280	FOR $K=0.10.20^{+}$ Arg1			
5290	$Elong(K) = (Arg4*Restreq(K)^2)/Scale_factor$			
5300	NEXTK			
5310	END SELECT			
5320	DISP			
5330	RETURN			
5340!***	***************************************			
5350 Per	cent_moduli: ! Determines the percent change in modulus per degree C			
5360!***	***************************************			
5370	Delta_temp=Actual_temp_max-Actual_temp_min			
5380	Fsum2pt=Actual_freq_max+Actual_freq_min			
5390	Fdiff2pt=Actual_freq_max-Actual_freq_min			
5400	Fminis=Actual_temp_max*Slope+Intercept			
5410	Fmaxls=Actual_temp_min*Slope+Intercept			
5420	FsumIs=FmaxIs+FminIs			
5430	Fdiffls=Fmaxls-Fminls			
5440	Prcnt_per_c_2pt=100*4*(Fdiff2pt/Fsum2pt)/Delta_temp ! 2 point			
5450	Prcnt_per_c_ls=100*4*(Fdiffls/Fsumls)/Delta_temp ! least squares			
5460	RETURN			
5470!***	***************************************			
5480 Ma	5480 Mag_temp: ! Produces In phase mag vs Temperature graph w/ curve			
5490!***	***************************************			
5500	$Main_title = Label = Label = 10(2)$			
5510	$Sub_title = Label \Phi(2)$			
5520	$X_axis_name = Label S(5)$			
5530	$Y_axis_name = Label i (13)$			
5540	Amin=Actual_temp_min			
5550	Amax=Actual_temp_max			
5570	x min=Actual_mag_min			
5570	Ymax=Actual_mag_max			
5580	GUSUB Generic_plot			
5590	CALL Generic_curve(Pen3, Thermistor(*), Inphmag(*), 20*Arg1)			
2000	KEIUKN			

5610!\*\*\*\*\*\* 5620 Mag\_freq: !Produces In phase mag vs Resonant frequencies 5640 Main title\$=Label\$(16) 5650 Sub title\$=" " 5660 X axis name=Label(4) 5670 Y axis name\$=Label\$(13) Xmin=Actual freq min 5680 5690 Xmax=Actual freq max Ymin=Actual\_mag\_min 5700 5710 Ymax=Actual mag max 5720 GOSUB Generic\_plot CALL Generic\_curve(Pen3,Resfreq(\*),Inphmag(\*),20\*Arg1) 5730 5740 RETURN 5760 Shear\_temp: ! Produces Shear modulus vs Temperature graph w/ curve 5780 Main\_title\$=Label\$(10) 5790 Sub title\$=" " X axis name=Label(5) 5800 5810 Y\_axis\_name\$=Label\$(11)&VAL\$(Power) 5820 Xmin=Actual\_temp\_min ! Actual minimum temperature 5830 Xmax=Actual temp max ! Actual maximum temperature 5840 Ymin=Scale\_gtor\_min ! Scaled minimum shear modulus 5850 ! Scaled maximum shear modulus Ymax=Scale\_gtor\_max 5860 GOSUB Generic plot 5870 CALL Generic curve(Pen3, Thermistor(\*), Gtor(\*), 20\*Arg1) 5880 RETURN 5890!\*\*\*\*\*\*\*\*\* \*\*\*\*\*\* 5900 Young\_temp: ! Produces Young's modulus vs Temperature graph w/ curve 5920 Main\_title\$=Label\$(9) Sub\_title\$=" " 5930 5940 X\_axis\_name\$=Label\$(5) 5950 Y axis name\$=Label\$(12)&VAL\$(Power) 5960 Xmin=Actual temp min ! Actual minimum temperature 5970 Xmax=Actual\_temp\_max ! Actual maximum temperature SELECT UPC\$(Block3\$) 5980 5990 CASE "FLEXURAL' 6000 Ymin=Scale\_eflex\_min ! Scaled minimum Y (flexural) 6010 Ymax=Scale\_eflex\_max ! Scaled maximum Y (flexural) 6020 **GOSUB** Generic plot 6030 CALL Generic\_curve(Pen3,Thermistor(\*),Eflex(\*),20\*Arg1) CASE "LONGITUDINAL" 6040 Ymin=Scale elong min 6050 ! Scaled minimum Y (longitudinal) Ymax=Scale elong max 6060 ! Scaled maximum Y (longitudinal) 6070 GOSUB Generic\_plot CALL Generic curve(Pen3,Thermistor(\*),Elong(\*),20\*Arg1) 6080 6090 END SELECT 6100 RETURN

6110!***********************************				
6120 Ge	6120 Generic plot: ! Produces design and layout of line graph			
6130!**	***************************************			
6140	GINIT ! Initialize various graphics parameters			
6150	GCLEAR ! Clear the graphics display			
6160	GRAPHICS ON ! Turn the graphics display on			
6170	OUTPUT KBD: Clear \$: ! Clear the CRT			
6180!				
6190	IF Plot device\$="Plotter" THEN ! Route output to HP7475A plotter			
6200	GRAPHICS OFF			
6210	BEEP 1000.1			
6220	DISP "Press CONTINUE when the plotter is ready"			
6230	PAUSE			
6240	OUTPUT 705: "IP 1300 1000 9000 6750." I Sets scaling points			
6250	PLOTTER IS 705 "HPGI "			
6260	FND IF			
62701				
6280	Xodumax=100*MAX(1 RATIO)   How many odu's wide screen is			
6200	$Y_{adumax} = 100 \text{ MAX}(1,10110)$ 100 How many gdu's wide screen is			
6300	CALL Scale (02 08 10 08 Top Left Yentr Ventr Yadumay Vadumay)			
6310	PEN Pen?			
6320				
63301				
6340	IF L EN(Main_title\$)>30 THEN L Size main title			
6350	$\frac{11}{C} \frac{1}{L} 1$			
6360	FI SE			
6270	CALL Label/6 60 6 Den? Vonter Ton 2 Main side()			
6380	END IF			
62001				
6400	CALL Label (1 60 6 Day 2 Venter Ottor Sub side ()			
6410	CALL Ladel(4,.0,U,0,Pen2,Acntr,.9* 10p,Sub_title\$)			
6420	CALL DIOCK_INIO(DIOCK13,DIOCK23,BIOCK33,BIOCK43,Xgdumax,Pen5,Pen2)			
6420	CLIP OFF			
6440	CALL Label(4, 60, 4 Dan 5 Venter, 18 Venter, 19 Venter,			
6450	CALL Label(4,.0,U,4,Pen5,Xcntr,-18,X_axis_name\$)			
6450	CLIP ON			
64701	CLIFUN			
6490	SELECT Vacalat			
6400	CASE "Auto coole V"			
6500	CALL Vacale (Vmin Vmar Vminar Vmaiar)			
6510	CALL Ascale (Amin, Amax, Aminor, Amajor)			
6520	CASE User scale A ! User scale A axis			
0520				
0000	CASE Initial ! Initial pass			
6550	Xmm=0 ! Minimum time, hours			
0330	Amax=20 ! Maximum time, hours			
0000	Amajor=1			
03/0	Aminor=.)			
0380	CASE "Follow on" ! Use user modified values			
0390	Amin=Amin_manual			
6600	Xmax=Xmax_manual			
6610	Xmajor=Xmajor_manual			

6620	Xminor=Xminor_manual				
6630	END SELECT				
6640	END SELECT				
6650!					
6660	SELECT Yscale\$				
6670	CASE "Auto scale Y" ! Auto scale Y axis				
6680	CALL Yscale(Ymin, Ymax, Yminor, Ymajor)				
6690	CASE "User scale Y" ! User scale Y axis				
6700	SELECT Pass\$				
6710	CASE "Initial" ! Initial pass				
6720!	Ymin=User freq min ! Use user entered min freq				
6730!	Ymax=User_freq_max! Use user entered maximum freq				
6740	Ymin=User mag min ! Use user entered min mag				
6750	Ymax=User mag max ! Use user entered max mag				
6760	Ymaior=(Ymax-Ymin)/5				
6770	Yminor=Ymaior/5				
6780	Pass\$="Follow op"				
6790	$X_{scale} = Auto scale X''$				
6800	Yscale\$="Auto scale Y"				
6810	CASE "Follow on" I Use user modified values				
6820	Ymin=Ymin manual				
6830	Ymax=Ymax manual				
6840	Ymajor=Ymajor manual				
6850	Yminor=Yminor_manual				
6860	FND SELECT				
6870	FND SELECT				
6880	WINDOW Xmin Xmax Ymin Ymax				
68901	Wittebo W Athin, Athat, Thin, Thiax				
6900	CALL Lb1 axes(2, 6 Pen4 Xmin Xmax Xmajor Ymin Ymax Ymajor) 1 Axes				
6910	PFN Pen?				
6920	AXES Xminor Yminor Xmin Ymin Xmajor/Xminor Ymajor/Yminor 3				
6930	AXES Xminor, Thinor, Xmax, Ymax, Xmajor/Xminor, Thiajor/Yminor, 3				
69401	7 ALLO ATTAINT, I ITAINT, ATTAIN, I THAN, ATTAINT, OF ATTAINT, I THAJOR I THINNE, O				
6950	SELECT Grid type\$   Grid				
6960	CASE "Partial"				
6970	GRID Xmaior Xmaior Xmin Vmin				
6980	CASE "Full"				
6000	GRID Xminor Yminor Xmin Ymin Xmajor/Xminor Ymajor/Vminor 1				
7000	END SELECT				
70101	END SELECT				
7010:	DENIID				
7020	GRAPHICS ON				
7040	RETURN				
70501***	NCIONIN **********************************				
7050: 7060 Tak	a plot data: I Collects fraquency us temperature data during the nu				
70701***	pror_oara. : Concers nequency vs temperature data during the fun ************************************				
7080	ON KEY OI ABEL "Take Data" GOTO Take				
7000	FOR Keynumber 1 TO 0				
7100	ON KEV Keynumber LABEL "" GOSUB Comment!				
7110	NEVT Keynumber				
7120 Wai	te GOTO Wait				
I LAVE VV ALL					

.

7130	Take: ON KEY 0 LABEL "" GOSUB Comment1
7140	PEN Pen3
7150	OUTPUT KBD;"Taking data";
7160	T0=TIMEDATE
7170	SELECT UPC\$(Block3\$)
7180	CASE "FLEXURAL"
7190	FOR I=0 TO 20*Arg1
7200	ENTER 720:Resfreq(I)
7210	ENTER 722: Thermistor(I)
7220	ENTER 724 Inphmag(I)
7230	Time(I)=I/Arg1
7240	PL OT Time(I) Innhmag(I)
7250	GOSLIB Compute redfreg
7250	COSUB Young mod
7200	OUTDIT @Dath 1:Eflay(I) Thermistor(I) Desfreq(I) Innhmer
12/U (I) D	offrac(I)
(1), K(1)	
7200	DISP I WATT 205 787 14 division and for 1 seconds succes 5 minutes
7290	WAIT 295.787 (Adjustment for T sample every 5 minutes
7300	
7310	CASE TORSIONAL
7320	FOR $J=0.10.20^{\circ}$ Arg1
7330	ENTER /20;Restreq(J)
/340	ENTER /22; Thermistor(J)
7350	ENTER 724;Inphmag(J)
7360	Time(J)=J/Arg1
7370	PLOT Time(J),Inphmag(J)
7380	GOSUB Compute_redfreq
7390	GOSUB Shear_mod
7400	OUTPUT @Path_1;Gtor(J),Thermistor(J),Resfreq(J),Inphmag(J
),Red	lfreq(J)
7410	DISP J
7420	WAIT 295.787
7430	NEXT J
7440	CASE "LONGITUDINAL"
7450	FOR K=0 TO 20*Arg1
7460	ENTER 720;Resfreg(K)
7470	ENTER 722: Thermistor(K)
7480	ENTER 724: Inphmag(K)
7490	Time(K) = K/Arg1
7500	PLOT Time(K) Inphmag(K)
7510	GOSUB Compute redfreg
7520	GOSUB Lyoung mod
7530	$OUTPUT @Path_1:Flong(K) Thermistor(K) Resfreq(K) Inphmag($
K) R	edfreq(K)
7540	DISPK
7550	WAIT 205 787
7560	NEYT K
7570	
7500	
7500	
7590	DISP II TOUK ;DROUND(11-10,4); SECONDS
/600	WALL 10

7610	OUTPUT KBD;Clear\$; ! Clear\$;	ars the CRT		
7620	ON VEV OI ADEL "Dogt Drocogg" COTO 7650			
7030 7640 Weit	ith COTO Waith			
7640 wall				
76501****	NCION1	*****		
7670 Post	t process:   Permits user to extract plots tables a	nd other info		
76801***	**************************************	*****		
7600	GCI FAR			
7700	CALL Least squares $(20*Arg1 \text{ Thermistor}(*) \text{ Resfreg}(*) A B C D E E G)$			
7710	Slope= $\Delta$   Keeps call to Least squares to one program line			
7720	Intercent=B	Intercent-B		
7730	Correlation=C			
7740	Slope error=D			
7750	Intropterr=E			
7760	Tmean=F			
7770	Fmean=G			
7780!				
7790	Actual_temp_min=MIN(Thermistor(*)) ! Find	maximum and minimum		
7800	Actual_temp_max=MAX(Thermistor(*)) ! temp	perature and frequency		
7810	Actual_freq_min=MIN(Resfreq(*))	· · · ·		
7820	Actual_freq_max=MAX(Resfreq(*))			
7830	Actual_mag_min=MIN(Inphmag(*))			
7840	Actual_mag_max=MAX(Inphmag(*))			
7850!				
7860	Volume=.25*(Length/100)*Pi*(Diameter/100)^2			
7870	GOSUB Percent_moduli			
7880	GOSUB Compute_modulus			
7890!				
7900	OUTPUT KBD;Clear\$; ! Cle	ear the CRT		
7910	OUTPUT KBD;Home\$; ! I	Home display		
7920	GCLEAR			
7930	PRINT TABXY(1,1) ! Start at top wr	th bleank line		
7940	Center=(Screen-42)/2 ! Leading spaces	for centering		
7950	PRINT TAB(Center); Key Purpose			
/960	PRINT TAB(Center);			
7970	PRINT TAB(Center); U Plot Frequency vs I in			
7980	PRINT TAB(Center); 1 Plot Temperature vs 1 PDINT TAB(Center); 2 Plot Frequency vs Ten	ime		
2000	SELECT LIPC <sup>(</sup> (Plock 2 <sup>°</sup> )	nperature		
8010	CASE = "TOPSIONAL"			
8020	DRINT TAB(Center):" 3 Plot Shear modulu	s vs Temperature"		
8020	CASE -"FLEXURAL"	s vs remperature		
8040	PRINT TAB(Center):" 3 Plot Young's mod	ulus vs Temperature"		
8050	CASE -"I ONGITUDINAL"	and vs remperature		
8060	PRINT TAB(Center):" 3 Plot Young's mod	ulus vs Temperature"		
8070	END SELECT	arus vo remperature		
8080	PRINT TAB(Center):" 4 Send Information to th	e Printer"		
8090	PRINT TAB(Center);" 5 Select the graph output	t device"		
8100	PRINT TAB(Center);" 6 Plot In phase mag vs 7	Semperature"		
8110	PRINT TAB(Center);" 7 Plot In phase mag vs 7	Temperature"		

PRINT TAB(Center);" 7 Select the type of X axis scaling" 8120 8130 PRINT TAB(Center);" 8 Select the type of Y axis scaling" PRINT TAB(Center);" 9 Exit this program" 8140 8150! ON KEY 0 LABEL "Freq vs Time" GOSUB Freq\_time 8160 ON KEY 1 LABEL "Temp vs Time" GOSUB Temp\_time 8170 ON KEY 2 LABEL "Freq vs Temp" GOSUB Freq\_temp 8180 8190 SELECT UPC\$(Block3\$) 8200 CASE ="TORSIONAL" 8210 ON KEY 3 LABEL "G vs Temp" GOSUB Shear temp 8220 CASE ="FLEXURAL" 8230 ON KEY 3 LABEL "E vs Temp" GOSUB Young temp 8240 CASE ="LONGITUDINAL" ON KEY 3 LABEL "E vs Temp" GOSUB Young\_temp 8250 8260 CASE ELSE ON KEY 3 LABEL "" GOSUB Comment1 8270 8280 END SELECT 8290 ON KEY 4 LABEL "Print Info" GOSUB Dump\_info ON KEY 5 LABEL "Output Device" GOSUB Output device 8300 ON KEY 6 LABEL "Grid Option" GOSUB Grid\_option 8310! ON KEY 6 LABEL "Imag vs Temp" GOSUB Mag\_temp ON KEY 7 LABEL "X scale option" GOSUB Xscale\_option 8320 8330! ON KEY 7 LABEL "Imag vs Freq" GOSUB Mag\_freq ON KEY 8 LABEL "Y scale option" GOSUB Yscale\_option 8340 8350 8360 ON KEY 9 LABEL "Exit Program" GOSUB Program end 8370! 8380 Blink3: WAIT 1 DISP "Make a DECISION" 8390 8400 WAIT 1 8410 DISP 8420 **GOTO Blink3** 8430 RETURN 8450 Grid option: ! Accepts the user's choice for the plot grid 8470 **GRAPHICS OFF** ! Turns off graphics display ! Clears the CRT 8480 OUTPUT KBD:Clear\$: DISP Grid\_type\$;" grid is currently selected" 8490 INPUT "Enter F - full; P - partial; N - No grid ?", Response\$ 8500 8510 SELECT Response\$ CASE "F" 8520 8530 Grid\_type\$="Full" CASE "P" 8540 Grid\_type\$="Partial" 8550 CASE "N" 8560 Grid\_type\$="No" 8570 8580 CASE ELSE 8590 DISP "No change" 8600 WAIT 1 8610 DISP 8620 WAIT 1

8630	END SELECT		
8640	DISP Grid type\$:" grid is selected"		
8650	WAIT 1		
8660	DISP		
8670	RETURN		
8680!****	******		
8690 Dum	in printo: ! Sends selected data and table information to the printer		
8700!****	***************************************		
8710	PRINTER IS 701		
8720	Perfskins=CHR\$(27)&CHR\$(38)&CHR\$(108)&CHR\$(49)&CHR\$(76)		
8730	Formfeed\$=CHR\$(12)		
8740	PRINT Perfskip\$ ! Skip on Perforation		
8750	PRINT Formfeed\$		
8760	PRINT USING "3/,#" ! Three line feeds		
8770	PRINT "Rod: "&Block1\$:TAB(70);"Page 1 of 2"		
8780	PRINT "Run: "&Block2\$		
8790	PRINT "Mode: "&Block3\$		
8800	PRINT "Date: "&Block4\$		
8810	PRINT USING "3/.#" ! Three more line feeds		
8820!			
8830	C1\$="Time"		
8840	C2\$="Temperature"		
8850	C3\$="Frequency"		
8860	C4a\$="Shear modulus"		
8870	C4b\$="Young's modulus"		
8880	C5\$="In Phase Component"		
8890	C6\$="hours"		
8900	C7\$="deg C"		
8910	C8\$="Hz"		
8920	C9\$="Pa*10^"		
8930	C10\$="DCV"		
8940!			
8950	SELECT UPC\$(Block3\$)		
8960	CASE "TORSIONAL"		
8970	PRINT USING 8980;C1\$,C2\$,C3\$,C4a\$,C5\$		
8980	IMAGE 4A,6X,11A,5X,9A,5X,13A,5X,18A		
8990	PRINT		
9000	PRINT USING 9010;C6\$,C7\$,C8\$,C9\$,Power,C10\$		
9010	IMAGE 5A,8X,5A,11X,2A,12X,6A,ZZ,14X,3A,12X		
9020	PRINT		
9030	FOR I=0 TO 20*Arg1 STEP Arg1		
9040	PRINT USING 9050;Time(1),Thermistor(1),Restreq(1),Gtor(1),In		
phmag(1)			
9050	IMAGE X,3D,8X,SDD.DDD,4X,		
DDDD.DI	DDE,9X,D.DDD,13X,SDD.DDDDDE		
9060			
9070	CASE FLEXUKAL		
9080	$\begin{array}{c} FKINT \\ DDINT \\ \end{array}$		
0100	DDINT USING 0010-C6¢ C7¢ C9¢ C9¢ C10¢		
0110	$\frac{1}{1} + \frac{1}{1} + \frac{1}$		
91111			

9120 FOR J=0 TO 20\*Arg1 STEP Arg1 P INT USING 9050; Time(J), Thermistor(J), Resfreq(J), Eflex(J) 9130 ,Inphmag(I) IMAGE 4A,6X,11A,5X,9A,5X,15A,3X,18A 9140 9150 NEXT J CASE "LONGITUDINAL" 9160 PRINT USING 9140;C1\$,C2\$,C3\$,C4b\$,C5\$ 9170 9180 PRINT 9190 PRINT USING 9010;C6\$,C7\$,C8\$,C9\$,Power,C10\$ 9200 PRINT 9210 FOR K=0 TO 20\*Arg1 STEP Arg1 9220 PRINT USING 9050;Time(K),Thermistor(K),Resfreq(K),Elong(K) Inphmag(I)9230 NEXT K 9240 END SELECT 9250! 9260 **PRINT Formfeed\$** ! Advance to top of next page 9270 PRINT USING "3/.#" ! Three more line feeds 9280 PRINT "Rod: "&Block1\$;TAB(70);"Page 2 of 2" "&Block2\$ 9290 PRINT "Run: PRINT "Mode: "&Block3\$ 9300 PRINT "Date: "&Block4\$ 9310 9320! 9330 PRINT USING "3/,#" ! Three more line feeds 9340 PRINT "Physical properties:" 9350 PRINT PRINT USING "3X,12A,14X,DDD.DDD";"Mass, grams:",Mass 9360 PRINT USING "3X,20A,06X,DDD.DDD";"Length, centimeters:",Length 9370 PRINT USING "3X,22A,04X,DDD.DDD";"Diameter, centimeters:",Diameter 9380 PRINT USING "3X,21A,07X,D.DDDE";"Volume, cubic meters:",Volume 9390 PRINT USING "3X,16A,09X,DDDD.D";"Density, kg/m^3:",Density 9400 9410! 9420 PRINT USING "3/.#" ! Three more line feeds 9430 PRINT "Least-squares fit results [frequency versus temperature]:" 9440 PRINT 9450 PRINT USING "3X,12A,13X,DDDD.DDD";"Slope, Hz/C:",Slope PRINT USING "3X,18A,07X,DDDD.DDD";"Slope error, Hz/C:",Slope\_error 9460 PRINT USING "3X,14A,11X,DDDD.DDD";"Intercept, Hz:",Intercept 9470 9480 PRINT USING "3X.20A.05X.DDDD.DDD";"Intercept error, Hz:".Intrcpterr PRINT USING "3X,12A,13X,DDDD.DDDDD";"Correlation:",Correlation 9490 PRINT USING "3X,20A,05X,DDDD.DDD";"Mean temperature, C:",Tmean 9500 PRINT USING "3X,19A,06X,DDDD.DDD";"Mean frequency, Hz:",Fmean 9510 9520 PRINT 9530 PRINT PRINT "Other statistics:" 9540 9550 PRINT 9560 Tmin=Actual temp min 9570 Tmax=Actual temp max 9580 Tave=(Tmax+Tmin)/29590 Fmin=Actual freq min 9600 Fmax=Actual freq max

9610 Fave=(Fmax+Fmin)/2PRINT USING "3X,23A,02X,DDDD.DDD";"Minimum temperature, C:",Tmin 9620 PRINT USING "3X,23A,02X,DDDD.DDD";"Average temperature, C:",Tave 9630 PRINT USING "3X,23A,02X,DDDD.DDD";"Maximum temperature, 9640 C:",Tmax 9650 PRINT PRINT USING "3X,22A,03X,DDDD.DDD";"Minimum frequency, Hz:",Fmin 9660 PRINT USING "3X,22A,03X,DDDD.DDD";"Average frequency, Hz:",Fave 9670 PRINT USING "3X,22A,03X,DDDD.DDD";"Maximum frequency, 9680 Hz:",Fmax 9690 PRINT 9700 L1<sup>\$</sup>="Percent change in shear modulus per degree C: " 9710 L2\$="Percent change in Young's modulus per degree C:" 9720 L3\$="Two point max-min approach:" 9730 L4\$="Multi-point least-squares approach:" 9740 SELECT UPC\$(Block3\$) 9750 CASE "TORSIONAL" 9760 Gmin=Scale\_gtor\_min 9770 Gmax=Scale\_gtor\_max 9780 PRINT USING "3X,30A,ZZ,5X,D.DDD";"Minimum "&C4a\$,Power,Gmin 9790 PRINT USING "3X,30A,ZZ,5X,D.DDD";"Maximum "&C4a\$,Power,Gmax PRINT USING "3/,#" ! Three more line feeds 9800 PRINT L1\$ 9810 9820 PRINT 9830 PRINT USING "3X,27A,8X,DDD.DDD";L3\$,Prcnt\_per c 2pt PRINT USING "3X.35A.DDD.DDD":L4\$.Prcnt per c ls 9840 9850 CASE "FLEXURAL" Emin=Scale eflex min 9860 9870 Emax=Scale eflex max 9880 PRINT USING "3X,30A,ZZ,5X,D.DDD";"Minimum "&C4b\$,Power,Emin 9890 PRINT USING "3X,30A,ZZ,5X,D.DDD";"Maximum "&C4b\$,Power,Emax 9900 PRINT USING "3/.#" ! Three more line feeds 9910 **PRINT L2\$** 9920 PRINT 9930 PRINT USING "3X,27A,8X,DDD.DDD";L3\$,Prcnt\_per\_c\_2pt PRINT USING "3X.35A.DDD.DDD":L4\$.Prcnt per c ls 9940 CASE "LONGITUDINAL" 9950 Emin=Scale elong\_min 9960 9970 Emax=Scale\_elong\_max PRINT USING "3X,32A,ZZ,5X,D.DDD";"Minimum 9980 "&C4b\$,Power,Emin PRINT USING "3X,32A,ZZ,5X,D.DDD";"Maximum 9990 "&C4b\$,Power,Emax PRINT USING "3/,#" 10000 ! Three more line feeds 10010 PRINT L2\$ 10020 PRINT PRINT USING "3X,27A,8X,DDD.DDD";L3\$,Prcnt per c 2pt 10030

PRINT USING "3X,35A,DDD.DDD";L4\$,Prcnt\_per\_c\_ls 1004010050 END SELECT 10060 PRINT Formfeed\$ ! Advance to top of next page 10070 PRINTER IS CRT 10080 RETURN 10120 GOSUB Draw freq time CALL Generic curve(Pen3,Time(\*),Resfreq(\*),20\*Arg1) 10130 RETURN 10140 10160 Output\_device: ! Permits user to route graphs to the screen or plotter 10180 OUTPUT KBD;Clear\$; ! Clear the CRT 10190 **OUTPUT KBD:Home\$:** ! Home display **GRAPHICS OFF** ! Turn off the graphics display 10200 SELECT Plot device\$ 10210 CASE <>"Plotter" 10220 INPUT "Graphs appear on the screen, OK? (Y/N) ",Response\$ 10230 10240 IF UPC\$(Response\$)<>"Y" THEN Plot device\$="Plotter" 10250 DISP "Graphs will be sent to the Plotter" 10260 10270 ELSE DISP "Graphs will remain on the screen" 10280 10290 WAIT 1 10300 DISP 10310 GRAPHICS ON 10320 END IF 10330 CASE "Plotter" 10340 INPUT "Graphs are sent to the plotter, OK? (Y/N) ", Response\$ 10350 IF UPC\$(Response\$)<>"Y" THEN Plot device\$="Screen" 10360 DISP "Plots will be sent to the Screen" 10370 10380 ELSE 10390 DISP "Plots will stay routed to the plotter" 10400 **END IF** 10410 END SELECT 10420 WAIT 1 10430 DISP 10440 RETURN 10460 Xscale option: ! Permits user to auto scale or manual scale the X axis 10480 OUTPUT KBD;Clear\$; ! Clear the CRT 10490 **OUTPUT KBD:Home\$;** ! Home display 10500 **GRAPHICS OFF** ! Turn off the graphics display 10510 SELECT Xscale\$ 10520 CASE "Auto scale X" 10530 INPUT "X axis is automatically scaled, OK? (Y/N) ", Response\$ IF Response\$<>"Y" THEN 10540

10550	Xscale\$="User scale X"				
10500	INPUT "Minimum X axis value ?", Xmin_manual				
10570	INPUT "Maximum X axis value ?", Xmax_manual				
10580	INPUT "Major X axis increment ?", Xmajor_manual				
10:00	INPUT "Minor X axis increment ?", Xminor_manual				
10000	DISP "The X axis will be scaled manually"				
10010	ELSE				
10020	DISP "The X axis will remain auto scaled"				
100:0	WAIT 1				
10000	DISF				
10050	GRAPHICS ON				
10000	ENDIF				
10070	CASE "User scale X"				
10080	INPUT "X axis is manually scaled, OK? (Y/N) ".Response\$				
10000	IF Response\$<"Y" THEN				
10700	Xscale\$="Auto scale X"				
10710	DISP "The X axis will be scaled automatically"				
10720	ELSE				
10730	INPUT "Change manual limits ? (Y/N) ",Response\$				
02701	IF Response\$="Y" THEN				
10750	INPUT "Minimum X axis value ?", Xmin_manual				
10-00	INPUT "Maximum X axis value ?", Xmax_manual				
10-0	INPUT "Major X axis increment ?", Xmajor_manual				
10780	INPUT "Minor X axis increment ?", Xminor_manual				
10700	DISP "The X axis will be scaled with new values"				
10600	ELSE				
10610	DISP "The X axis will remain manually scaled"				
10820	WAIT I				
10830	DISP				
10320	GRAPHICS ON				
10850	END IF				
10500	END IF				
10870	END SELECT				
10650	WAIT I				
10:00	DISF				
10000	RETURN				
10010:**	***************************************				
10020 Y	scale_option: ! Permits user to auto scale or manual scale the Y axis				
100:0.**	***************************************				
10000	OUTPUT KBD, Clear S, ! Clear the CRT				
10020	OUTPUT KBD: Homes. ! Home display				
10000	GRAPHICS OFF ! Turn off the graphics display				
10070	SELECT Viscales				
10030	CASE Auto scale Y				
(nech)	LNFUT Y axis is automatically scaled, OK" (Y/N) "Response\$				
11000	IF Responses > Y THEN				
11010	YscaleS= User scale Y				
01010	INPUT "Muturnum Y axis value ?", Youn manual				
0.0011	ENEUT Maxemum Y axis value "A max manual				
11000	LNFUT Major Y axis increment ", Ymajor_manual				
1 1 1 1 1 1 1	IN ALL ALTER A STATISTICAL AND A STATISTICS AND				

11050 INFUT "Munor Y axis increment ", Yimmor manual

11060	DISP "The Y axis will be scaled manually"			
11070	FI SE			
11080	DISP "The V axis will remain auto scaled"			
11000	WATT 1			
11100	DISP			
11110	GRAPHICS ON			
11120	FND IF			
11130	CASE "User scale Y"			
11140	INPLIT "Y axis is manually scaled OK? (Y/N) " Response\$			
11150	IF Response\$<>"Y" THEN			
11160	Yscale\$="Auto scale Y"			
11170	DISP "The Y axis will be scaled automatically"			
11180	ELSE			
11190	INPUT "Change manual limits ? (Y/N) " Response\$			
11200	IF Response\$="Y" THEN			
11210	INPUT "Minimum Y axis value ?" Ymin manual			
11220	INPUT "Maximum Y axis value ?" Ymax manual			
11230	INPUT "Major Y axis increment ?" Ymajor manual			
11240	INPUT "Minor Y axis increment ?" Yminor manual			
11250	DISP "The Y axis will be scaled with new values"			
11260	FLSE			
11270	DISP "The Y axis will remain manually scaled"			
11280	WAIT 1			
11290	DISP			
11300	GRAPHICS ON			
11310	ENDIE			
11320	FND IF			
11330	END SELECT			
11340	WAIT 1			
11350	DISP			
11360	RETURN			
11370!*	***			
11380 T	emp_time: ! Produces Temperature vs Time graph w/curve			
11390!*	***			
11400	Main_title\$=Label\$(7)			
11410	Sub_title $=Label$ (8)			
11420	X axis name $=Label$ (3)			
11430	Y axis name $=Label$ (5)			
11440	Xmin=0 ! Minimum time is 0 hours			
11450	Xmax=20 ! Maximum time is 20 hours			
11460	Ymin=Actual temp min ! Actual minimum temperature			
11470	Ymax=Actual temp max ! Actual maximum temperature			
11480	GOSUB Generic plot			
11490	CALL Generic curve(Pen3,Time(*),Thermistor(*),20*Arg1)			
11500	RETURN			
11510!*	******			
11520 Freq temp: ! Produces Frequency versus temperature graph w/curve				
11530!*	*****			
11540	Main title\$=Label\$(6)			
11550	Sub title\$=""			
11560	$\mathbf{X}$			

11560 X\_axis\_name\$=Label\$(5)

11570	Y_axis_name\$=Label\$(4)			
11580	Xmin=Actual_temp_min ! Actual minimum temperature			
11590	Xmax=Actual_temp_max ! Actual maximum temperature			
11600	Ymin=Actual_freq_min ! Actual minimum frequency			
11610	Ymax=Actual_freq_max ! Actual maximum frequency			
11620	GOSUB Generic_plot			
11630	CALL Generic_curve(Pen3,Thermistor(*),Resfreq(*),20*Arg1)			
11640!	PEN Pen4			
11650!	MOVE Actual temp min. Actual temp min*Slope+Intercept			
11660!	DRAW Actual temp max. Actual temp max*Slope+Intercept			
11670!	1670! PEN 0			
11680	RETURN			
11690!**	***************************************	¢		
11700 Cr	eate new file: ! Creates a file for a new data run			
11710!**	***************************************	¢		
11720	Pass\$="Initial"			
11730	Grid type\$=Default grid\$			
11740	Xscale\$="User scale X"			
11750	Yscale\$="User scale Y"			
11760	Plot device\$="Screen"			
11770	BEEP 1000 1			
11780	ON FRROR GOTO Fix?			
11790	INPLIT "Filename to store the data ?" Filename\$			
11800	CREATE BDAT Filename \$ 50			
11810	ASSIGN @Path_1 TO Filename\$			
11820	OFF FRROR			
11830	OUTPUT @Path_1:Block1\$ Block2\$ Block3\$ Block4\$			
11840	OUTPUT @Path_1:Mass Length Diameter Density			
11850	BFFP 1000 1			
11860	DISP "Output will be stored under Filename: "Filename\$			
11870	WAIT 1			
11880	DISP			
11890	IF $Flag=1$ THEN			
11900	FOR I=0 TO 20*Arg1			
11910	OUTPUT @Path 1:Mod(I) Thermistor(I) Resfreq(I) Innhmag(I)			
Redfrea()	(1)			
11020	NEXTI			
11030	FND IF			
11940	RETURN			
11050!**	**************************************	¢		
11960 Or	pen old file:   Opens and retrieves data from an existing file			
119701**	**************************************	¢		
11980	Pass\$="Follow on"			
11990	Grid type\$=Default grid\$			
12000	Xscale\$="Auto scale X"			
12010	$V_{scale} = \Lambda_{uto} scale V''$			
12010	2010 I Scalep- Auto Scale I 2020 Plot device - "Screen"			
12020	2020 REEP 1000 1			
12030	2010 $ON$ ERROR GOTO Fix 1			
12040	INPLIT "Filename to retrieve the data ?" Filename\$			
12060	ASSIGN @Path_1 TO Filename\$			

ENTER @Path 1;Block1\$,Block2\$,Block3\$,Block4\$ 12070 ENTER @Path 1; Mass, Length, Diameter, Density 12080 12090 BEEP 1000..1 DISP "Retrieving data stored under Filename: ";Filename\$ 12100 12110 FOR I=0 TO 20\*Arg1 ENTER @Path 1:Mod(I),Thermistor(I),Resfreq(I),Inphmag(I),Red 12120 freq(I) Time(I)=I/Arg1 12130 12140 NEXT I OFF ERROR 12150 12160 ASSIGN @Path 1 TO \* 12170 RETURN 12190 Fix1: ! 12210 SELECT ERRN 12220 **CASE 53** 12230 DISP "Limit file names to 10 characters. No punctuation." 12240 CASE 56 DISP "This file doesn't exist on the data disk" 12250 **CASE 58** 12260 12270 DISP "This file is not a BDAT file" 12280 CASE ELSE DISP "This file can not be processed by RT20B" 12290 12300 END SELECT 12310 PRINTER IS CRT 12320 BEEP 300..1 12330 WAIT 1 12340 DISP 12350 WAIT 1 GOTO Open old file 12360 12380 Fix2: ! 12400 SELECT ERRN 12410 **CASE 53** 12420 DISP "Limit file names to 10 characters. No punctuation." 12430 CASE 54 12440 DISP "Duplicate filename! Try another name." 12450 END SELECT BEEP 300,.1 12460 12470 WAIT 1 12480 DISP 12490 WAIT 1 12500 GOTO Create new file 12520 Close file: ! Closes new data file after data collection is completed 12540 **GCLEAR** 12550 ASSIGN @Path 1 TO \* 12560 BEEP 1000,.1

DISP "Data is stored under Filename: ":Filename\$ 12570 12580 WAIT 1 DISP 12590 RETURN 12600 12620 Program\_end: ! Shuts down shop, plays a little melody OUTPUT KBD:Clear\$; 12640 12650 **GRAPHICS OFF CONTROL 1,12;0** 12660 BEEP 157..1 12670 BEEP 201,.1 12680 12690 BEEP 178..1 12700 BEEP 272,.1 WAIT.5 12710 12720 BEEP 272..1 12730 BEEP 178..1 12740 BEEP 157,.1 12750 BEEP 201,.1 12760 DISP 12770 DISP "Press RUN when you are ready for another try ...." 12780 END 12790!\*\*\*\*\*\*\*\*\* \*\*\*\*\*\* 12800 SUB Label(Csize, Asp\_ratio, Ldir, Lorg, Pen, Xpos, Ypos, Text\$) 12820! This subroutine defines several systems variables (Csize, LDIR, etc.), 12830! and labels the text (if any) accordingly. 12840 DEG 12850 CSIZE Csize, Asp ratio LDIR Ldir 12860 12870 LORG Lorg PEN Pen 12880 **MOVE** Xpos, Ypos 12890 IF Text\$<>"" THEN LABEL USING "#,K";Text\$ 12900 12910 PENUP 12920 **SUBEND** 12940 SUB Lbl\_axes(Csize,Asp\_ratio,Pen,Xmin,Xmax,Xstep,Ymin,Ymax,Ystep) 12960 DEG 12970 CSIZE Csize, Asp\_ratio 12980 PEN Pen CLIP OFF 12990 13000 LDIR 0 LORG 6 13010 Yrange=Ymax-Ymin 13020 13030 Yoffset=.02\*Yrange FOR L=Xmin TO Xmax STEP Xstep 13040 MOVE L.Ymin-Yoffset 13050 IF ABS(L)<.001 THEN L=0 13060 LABEL USING "#,K";L 13070

13080 NEXT L 13090 LORG 8 Xoffset=.02\*(Xmax-Xmin) 13100 IF Yrange<=1 THEN 13110 13120 Mmax=DROUND(Yrange/Ystep,1) Yval=Ymin 13130 13140 FOR M=0 TO Mmax IF ABS(Yval)<=.001 THEN Yval=0 13150 13160 MOVE Xmin-Xoffset, Yval 13170 LABEL USING "#,SD.DD";Yval 13180 Yval=Yval+Ystep 13190 NEXT M 13200 ELSE 13210 FOR M=Ymin TO Ymax STEP Ystep 13220 IF  $ABS(M) \le 0.001$  THEN M=0 MOVE Xmin-Xoffset.M 13230 LABEL USING "#.K":M 13240 13250 NEXT M 13260 **END IF** 13270 CLIP ON PENUP 13280 13290 **SUBEND** 13310 SUB Block info(Block1\$,Block2\$,Block3\$,Block4\$,Xgdumax,Pen,Pen2) 13330 CALL Label(3,.6,0,2,Pen,2,2,"Rod: "&Block1\$) 13340 CALL Label(3,.6,0,5,Pen,Xgdumax/3,2,"Run: "&Block2\$) CALL Label(3,.6,0,5,Pen,Xgdumax\*2/3,2,"Mode: "&Block3\$) 13350 13360 CALL Label(3,.6,0,8,Pen,.97\*Xgdumax,2,Block4\$) 13370 **MOVE 0.4** 13380 PEN Pen2 13390 **DRAW 133.4** 13400 PENUP 13410 SUBEND 13450 DISP "Computing least-squares fit ......" 13460 Sumx=0 13470 Sumy=0 13480 Sumxx=0 Sumxy=0 13490 13500 FOR I=0 TO Imax 13510 Sumx=Sumx+X(I)13520  $Sumxx=Sumxx+X(I)^{2}$ 13530 Sumy=Sumy+Y(I)13540 Sumxy=Sumxy+X(I)\*Y(I)13550 NEXT I 13560 Delta=(Imax+1)\*Sumxx-Sumx^2 13570 Int=(Sumxx\*Sumy-Sumx\*Sumxy)/Delta Slp=((Imax+1)\*Sumxy-Sumx\*Sumy)/Delta 13580

- 13590 Sumerrerr=0
- 13600 FOR J=0 TO Imax
- 13610 Sumerrerr=Sumerrerr+ $(Y(J)-Int-Slp*X(J))^2$
- 13620 NEXT J
- 13630 Sigmayy=Sumerrerr/(Imax+1-2)
- 13640 Sigmay=SQR(Sigmayy)
- 13650 Int\_er=Sigmay\*SQR(Sumxx/Delta)
- 13660 Slp\_er=Sigmay\*SQR((Imax+1)/Delta)
- 13670 Xbarsum=0
- 13680 Ybarsum=0
- 13690 FOR K=0 TO Imax
- 13700 Xbarsum=Xbarsum+X(K)
- 13710 Ybarsum=Ybarsum+Y(K)
- 13720 NEXT K
- 13730 Xmean=Xbarsum/(Imax+1)
- 13740 Ymean=Ybarsum/(Imax+1)
- 13750 Sigmaxxsum=0
- 13760 Sigmayysum=0
- 13770 Sigmaxysum=0
- 13780 FOR L=O TO Imax
- 13790 Sigmaxxsum=Sigmaxxsum+(X(L)-Xmean)^2
- 13800 Sigmayysum=Sigmayysum+(Y(L)-Ymean)^2
- 13810 Sigmaxysum=Sigmaxysum+(X(L)-Xmean)\*(Y(L)-Ymean)
- 13820 NEXT L
- 13830 Sigmax=SQR(Sigmaxxsum/(Imax+1))
- 13840 Sigmay1=SQR(Sigmayysum/(Imax+1))
- 13850 Sigmaxy=Sigmaxysum/(Imax+1)
- 13860 Cor=Sigmaxy/(Sigmax\*Sigmay1)
- 13870 DISP
- 13880 SUBEND

- 13900 SUB Scale(L,R,B,T,Top,Left,Xcenter,Ycenter,Xgdumax,Ygdumax)
- 13920 Top=T\*Ygdumax
- 13930 Bottom=B\*Ygdumax
- 13940 Left=L\*Xgdumax
- 13950 Right=R\*Xgdumax
- 13960 Xcenter=(Right+Left)/2
- 13970 Ycenter=(Top+Bottom)/2
- 13980 VIEWPORT Left, Right, Bottom, Top
- 13990 SUBEND

14010 SUB Yscale(Ymin, Ymax, Yminor, Ymajor)

- 14030 DIM Diff(36),Minor(36)
- 14040 DATA .1,.005,.2,.01,.25,.01,.3,.02,.4,.02,.5,.02,.75,.05,1,.05
- 14050 DATA 5,.2,10,.5,15,1,20,1,25,1,30,2,40,2,50,2,75,5,100,5,125,5
- 14060 DATA 150,10,200,10,250,10,300,20,400,20,500,20,750,50,1000,50
- 14070 DATA 1250,50,1500,100,2000,100,2500,100,3000,200,4000,200,5000
- 14080 DATA 200,7500,500,10000,500
- 14090 FOR I=1 TO 36

14100	READ Diff(I),Minor(I)
14110	NEXT I
14120	Yrange=Ymax-Ymin
14130	Index=1
14140	WHILE Yrange>Diff(Index)
14150	Index=Index+1
14160	END WHILE
14170	Yminor=Minor(Index)
14180	Ymajor=Diff(Index)/5
14190	IF Ymin<0 THEN
14200	Newmin=Ymin-Ymaior+ABS(Ymin MOD Ymaior)
14210	ELSE
14220	Newmin=Ymin-(Ymin MOD Ymaior)
14220	FND IF
14230	Newmax=Newmin+Diff(Index)
1/250	WHILE Vmax Newmax
14250	Index-Index+1
14200	Much-Much+1 Vminor-Minor(Index)
14270	Vmaior-Diff(Index)/5
14200	I = I = D = D = D = D = D = D = D = D =
14290	Nourmin-Vmin Vmoiort ABS(Vmin MOD Vmoior)
14300	ELCE
14310	ELSE Noumin-Vmin (Vmin MOD Vmsior)
14320	END IE
14330	END IF
14340	Newmax=Newmin+Diff(Index)
14350	END WHILE
14360	Y max=Newmax
14370	Ymin=Newmin
14380	SUBEND
14390!*	***************************************
14400 S	UB Xscale(Xmin,Xmax,Xminor,Xmajor)
14410!*	***************************************
14420	DIM Diffx(40),Minorx(40),Majorx(40)
14430	DATA 5.,0.2,1.0,6.,.2,1.,7.0,0.2,1.0,8.0,0.2,1.0,10.0,0.5,2.0,12.0,0.5
14440	DATA 2.0,14.0,0.5,2.0,16.0,0.5,2.0,20.0,1.0,4.0,25.0,1.0,5.0,30.0,1.0
14450	DATA 5.0,35.0,1.0,5.0,40.0,1.0,5.0,50.0,2.0,10.0,60.,2.0,10.0,70.0,2.0
14460	DATA 10.0,80.0,2.0,10.0,100.0,5.0,20.0,120.0,5.0,20.0,140.0,5.0,20.0
14470	DATA 200.0,10.0,20.0,400.0,10.0,50.0,600.0,20.0,100.0,800.0,50.0,100.0
14480	DATA 1000.0,50.0,100.0,1200.0,50.0,200.0,1400.0,50.0,200.0,1600.0
14490	DATA 50.0,200.0,1800.0,100.0,300.0,2000.0,100.0,500.0,2500.,100.,500.0
14500	DATA 3000.,100.,500.0,3500.,100.,500.0,4000.,200.,400.0
14510	FOR I=1 TO 34
14520	READ Diffx(I),Minorx(I),Majorx(I)
14530	NEXT I
14540	Xrange=Xmax-Xmin
14550	Index=1
14560	WHILE Xrange>Diffx(Index)
14570	Index=Index+1
14580	END WHILE
14590	Xminor=Minorx(Index)
14600	Xmajor=Majorx(Index)

```
14610
    IF Xmin<0 THEN
     Newmin=Xmin-Xmajor+ABS(Xmin MOD Xmajor)
14620
     ELSE
14630
     Newmin=Xmin-(Xmin MOD Xmajor)
14640
14650
     END IF
     Newmax=Newmin+Diffx(Index)
14660
     WHILE Xmax>Newmax
14670
14680
      Index=Index+1
14690
      Xminor=Minorx(Index)
      Xmajor=Majorx(Index)
14700
14710
      IF Xmin<0 THEN
14720
       Newmin=Xmin-Xmajor+ABS(Xmin MOD Xmajor)
14730
      ELSE
14740
       Newmin=Xmin-(Xmin MOD Xmajor)
14750
      END IF
14760
      Newmax=Newmin+Diffx(Index)
14770
    END WHILE
     Xmax=Newmax
14780
14790
     Xmin=Newmin
     SUBEND
14800
14820 SUB Generic_curve(Pen,X(*),Y(*),Max_point)
14840
     PEN Pen
14850
    FOR Point=0 TO Max_point
14860
      PLOT X(Point), Y(Point)
14870
    NEXT Point
14880
     PENUP
14890
     SUBEND
14910! Nothing follows.
14970
    FOR I=0 TO Imax
14980
      Temp(I)=Thermistor(I)+273.15
      X(I) = -129*(Temp(I) - 283.15)/(107 + Temp(I) - 283.15)
14990
      Y(I)=X(I)*LOG(10)
15000
15010
      Alphat(I)=EXP(Y(I))
      Redfreq(I) = Resfreq(I) * Alphat(I)
15020
15030
     NEXT I
```

```
15040 SUBEND
```

## APPENDIX E. LISTING OF HP BDAT FILE TO MACINTOSH TEXT FILE CONVERSION PROGRAM

- 10 PRINTER IS CRT; WIDTH 80
- 30 PRINT "\*PROGRAM HPTOMAC: Program to transfer BDAT files on the HP to"
- 40 PRINT "TEXT files readable by Cricket Graph on the Macintosh."
- 50 PRINT "Ref. pp. C-6 and C-17 of the Cricket Graph User's Manual."
- 60 PRINT "Author: Steve Baker Last revision date: 10 Aug 1989"
- 70 PRINT "\*HARDWARE REQUIRED: HP Series 200 with 98644A serial interface or"
- 80 PRINT "Series 300 with built-in interface, Macintosh with built-in serial"
- 90 PRINT "interface, Hayes modem cable for the Macintosh (DB-9 or Din-8 to"
- 100 PRINT "male DB-25 connectors. Ref. p.G-5 of the VersaTerm Pro User's"
- 110 PRINT "Manual), standard male-male RS-232 cable with at least pins 1-8"
- 120 PRINT "and 20 wired straight through for the HP. These cables can each"
- 130 PRINT "be hooked up directly to a modem, or they can be connected to each"
- 140 PRINT "other through a null modem with the following pins connected:"
- 150 PRINT "1to1, 2to3, 3to2, 4and5to8, 6to20, 7to7, 8to4and5, 20to6."
- 160 PRINT "\*SOFTWARE REQUIRED: HPTOMAC running on an HP Series 200/300 and a"
- 170 PRINT "communications program capable of faithfully capturing incoming"
- 180 PRINT "text (ASCII characters) to a TEXT-type file running on the Mac,"
- 190 PRINT "such as MacTerm (desk accessory bundled with Borland SideKick) or"
- 200 PRINT "VersaTerm PRO. NOTE: text captured by Microsoft Works cannot be"
- 210 PRINT "read by Cricket Graph."
- 220 PRINT "\*INSTRUCTIONS FOR USE:"
- 230 PRINT "Both serial ports must be set to 2400 baud, 8 data bits, one stop"
- 240 PRINT "bit, no parity. The following will correctly set up both machines"
- 250 PRINT "following power-up."
- 260 PRINT "\*SETTING UP THE HP: HPTOMAC asks for the select code of the"
- 270 PRINT "serial port and sets the baud rate to 2400 baud. The other"
- 280 PRINT "settings are automatic at startup, so no additional user action is"
- 290 PRINT "required (Ref. p. 13-10 of Vol.2 of BASIC Interfacing Techniques)."
- 300 PRINT "\*SETTING UP MACTERM: launch the ""Configure MacTerm"" utility and"
- 310 PRINT "click on the appropriate buttons to set serial port parameters"
- 320 PRINT "(Ref. p. 107 of SideKick v2.0 User's Manual). Clicking on ""Save"
- 330 PRINT "Setup"" saves these settings. The serial port parameters may also"
- 340 PRINT "be set in the ""MacTerm"" menu while running MacTerm (MacTerm is"
- 350 PRINT "launched from the desk accessory menu)."
- 360 PRINT "\*SETTING UP VERSATERM PRO: Launch VersaTerm PRO. Set the baud"
- 370 PRINT "rate to 2400 in the ""Baud"" menu. Enable Xon/Xoff, set Parity to"
- 380 PRINT "none, Char Size to 8 bits, and Stop Bits to 1.0 in the"
- 390 PRINT """Settings"" menu. Other features may be enabled and disabled in"
- 400 PRINT "the ""Extras"" dialog box, selected from the ""Settings"" menu"
- 410 PRINT "(Ref. pp. F-15 to F-18 of the User's Manual). Be sure that ""Auto"
- 420 PRINT "Tek 4014 Entry"" is disabled."
- 430 PRINT "\*TRANSFERRING A BDAT FILE from the HP to the Mac is accomplished"
- 440 PRINT "in text recording mode under MacTerm (ref. p. 109 in User's"
- 450 PRINT "Manual) and in Save Stream mode under VersaTerm PRO (ref. pp."
- 460 PRINT "B-28, F-8, F-13, F-15 in the User's Manual). Refer to each User's"

- 470 PRINT "Manual for details. HPTOMAC is self-prompting."
- 480 PRINT "\*NOTE that PROG files may also be transferred over the serial port"
- 490 PRINT "connection simply by LOADing each PROG file into the HP's memory"
- 500 PRINT "and issuing a LIST #Sc command, where Sc is the select code of the"
- 510 PRINT "serial port. The setup and procedure for receiving a PROG file"
- 520 PRINT "under MacTerm or VersaTerm PRO is identical to that for receiving"
- 530 PRINT "a BDAT file."

- 570 !
- 580 DIM Ch\$[1],Name\$(100)[31]
- 581 DIM C1\$[50],C2\$[50],C3\$[50],C4\$[50]
- 590 INTEGER Outdev, I, N
- 600 PRINT "PROGRAM HPTOMAC: Program to transfer BDAT files on the HP to TEXT"
- 610 PRINT "files readable by Cricket Graph on the Macintosh. Detailed"
- 620 PRINT "instructions for using this program are in the comments above."
- 630 BEEP
- 640 PRINT
- 650 PRINT "\*\*\*\*\* MAKE SURE THE MAC SERIAL PORT IS SET TO 2400 BAUD, 8 DATA"
- 660 PRINT "BITS, 1 STOP BIT, NO PARITY \*\*\*\*\*"
- 670 PRINT
- 680 MASS STORAGE IS ":,4,0"
- 690 PRINT "Mass storage default has been set to :,4,0"
- 700 INPUT "Enter select code of output device (CRT=1, PRT=701, Serial Port=9 o
- r 10):",Outdev
- 710 IF Outdev=9 OR Outdev=10 THEN CONTROL Outdev,3;2400
- 720 INPUT "Enter name of source data file:",Srcfile\$
- 730 ASSIGN @Path1 TO Srcfile\$
- 740 INPUT "Enter number of elements per record (1 to 100):",N
- 750 IF N<1 OR N>100 THEN GOTO 740
- 760 INPUT "Do you want to send element names? (Y or N, default is N)", Ch\$
- 770 IF Ch\$="Y" OR Ch\$="y" THEN
- 780 Ch\$="Y"
- 790 FOR I=1 TO N
- 800 PRINT "Enter name of ";I;"th element:"
- 810 LINPUT Name\$(I)
- 820 NEXT I
- 830 END IF
- 840 INPUT "Hit CONTINUE to continue",Ch\$
- 850 PRINT
- 860 PRINT "Sending output to device select code ";Outdev
- 870 PRINTER IS Outdev; WIDTH OFF
- 880 IF Ch\$="Y" THEN
- 890 PRINT "\*"
- 900 FOR I=1 TO N-1
- 910 PRINT Name\$(I);CHR\$(9);
- 920 NEXT I
- 930 PRINT Name\$(N)

- 940 END IF
- 950 ON END @Path1 GOTO 1040
- 951 ENTER @Path1;C1\$,C2\$,C3\$,C4\$
- 952 ENTER @Path1;Mass,Length,Diameter,Density
- 960 REPEAT
- 970 FOR I=1 TO N-1
- 980 ENTER @Path1;Data
- 990 PRINT Data;CHR\$(9);
- 1000 NEXT I
- 1010 ENTER @Path1;Data
- 1020 PRINT Data
- 1030 UNTIL False
- 1040 OFF END @Path1
- 1050 ASSIGN @Path1 TO \*
- 1060 BEEP
- 1070 PRINTER IS CRT; WIDTH 80
- 1080 PRINT "Transfer complete. Close Mac file."
- 1090 PRINT "Open new Mac file and enter HP source file name to transfer"
- 1100 INPUT "another file with the same attributes or hit RUN to restart:",Srcfi

le\$

- 1110 ASSIGN @Path1 TO Srcfile\$
- 1120 GOTO 840
- 1130 END

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